## Digital Dasign

## with RTL Dasign, VHDL, and Verilag



## Digital Design

## Chapter 1: Introduction

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## Why Study Digital Design?

- Look "under the hood" of computers
- Solid understanding --> confidence, insight, even better programmer when aware of hardware resource issues
- Electronic devices becoming digital
- Enabled by shrinking and more capable chips
- Enables:
- Better devices: Sound recorders, cameras, cars, cell phones, medical devices,...
- New devices: Video games, PDAs, ...
- Known as "embedded systems"
- Thousands of new devices every year
- Designers needed: Potential career direction


| Satellites |  |  | DVD players | Video recorders |  | Musical instruments |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |
| music players |  | Cell phones |  | Cameras |  | TVs | ??? |
| 1995 | 1997 | 1999 | 2001 | 2003 | 2005 | 2007 |  |
|  | - | Years shown ab - (Not the fir | ove indica irst year tha | e when digital a digital versio | version beg n appeared) | to dom |  |

## What Does "Digital" Mean?

- Analog signal
- Infinite possible values

- Digital signal
- Finite possible values
- Ex: button pressed on a keypad



## Digital Signals with Only Two Values: Binary

- Binary digital signal -- only two possible values
- Typically represented as 0 and 1
- One binary digit is a bit
- We'll only consider binary digital signals
- Binary is popular because

- Transistors, the basic digital electric component, operate using two voltages (more in Chpt. 2)
- Storing/transmitting one of two values is easier than three or more (e.g., loud beep or quiet beep, reflection or no reflection)


# Example of Digitization Benefit 

- Analog signal (e.g., audio, video) may lose quality
- Voltage levels not saved/copied/transmitted perfectly
- Digitized version enables near-perfect save/cpy/tran.
- "Sample" voltage at particular rate, save sample using bit encoding
- Voltage levels still not kept perfectly
- But we can distinguish 0s from 1s

Let bit encoding be:
1 V : "01"
2 V: "10"
3 V: "11"


## Digitization Benefit: Can Store on Digital Media



## Digitized Audio: Compression Benefit

- Digitized audio can be compressed
- e.g., MP3s
- A CD can hold about 20 songs uncompressed, but about 200 compressed
- Compression also done on digitized pictures (jpeg), movies (mpeg), and more
- Digitization has many other benefits too

Example compression scheme:
00 means 0000000000
01 means 1111111111
1X means X


## How Do We Encode Data as Binary for Our Digital

 System?

- Some inputs inherently binary
- Button: not pressed (0), pressed (1)
- Some inputs inherently digital
- Just need encoding in binary
- e.g., multi-button input: encode red=001, blue $=010$,
- Some inputs analog
- Need analog-to-digital conversion
- As done in earlier slide -sample and encode with bits



## How to Encode Text: ASCII, Unicode

- ASCII: 7- (or 8-) bit encoding of each letter, number, or symbol
- Unicode: Increasingly popular 16-bit encoding
- Encodes characters from various world languages

| Encoding | Symbol |
| :---: | :---: |
| 0100000 | $<$ space> |
| 0100001 | $!$ |
| 0100010 | $"$ |
| 0100011 | $\#$ |
| 0100100 | $\$$ |
| 0100101 | $\%$ |
| 0100110 | $\&$ |
| 0100111 | $\vdots$ |
| 0101000 | $($ |
| 0101001 | $)$ |
| 0101010 | $*$ |
| 0101011 | + |
| 0101100 | , |
| 0101101 | - |
| 0101110 | $;$ |
| 0101111 | i |


| Encoding | Symbol | Encoding | Symbol |
| :---: | :---: | :---: | :---: |
| 1000001 | A | 1001110 | N |
| 1000010 | B | 1001111 | O |
| 1000011 | C | 1010000 | P |
| 1000100 | D | 1010001 | Q |
| 1000101 | E | 1010010 | R |
| 1000110 | F | 1010011 | S |
| 1000111 | G | 1010100 | T |
| 1001000 | H | 1010101 | U |
| 1001001 | I | 1010110 | V |
| 1001010 | J | 1010111 | W |
| 1001011 | K | 1011000 | X |
| 1001100 | L | 1011001 | Y |
| 1001101 | M | 1011010 | Z |


| Encoding | Symbol |
| :---: | :---: |
| 1100001 | a |
| 1100010 | b |
| $\ldots$ |  |
| 1111001 | y |
| 1111010 | z |
|  |  |
| 0110000 | 0 |
| 0110001 | 1 |
| 0110010 | 2 |
| 0110011 | 3 |
| 0110100 | 4 |
| 0110101 | 5 |
| 0110110 | 6 |
| 0110111 | 7 |
| 0111000 | 8 |
| 0111001 | 9 |

Question:
What does this ASCII bit sequence represent? 1010010100010110100111010100


## How to Encode Numbers: Binary Numbers

- Each position represents a quantity; symbol in position means how many of that quantity
- Base ten (decimal)
- Ten symbols: 0, 1, 2, ..., 8, and 9
- More than 9 -- next position
- So each position power of 10
- Nothing special about base 10 -used because we have 10 fingers
- Base two (binary)
- Two symbols: 0 and 1
- More than 1 -- next position
- So each position power of 2


## Using Digital Data in a Digital System

- A temperature sensor outputs temperature in binary
- The system reads the temperature, outputs ASCII code:
- "F" for freezing (0-32)
- "B" for boiling (212 or more)
- "N" for normal
- A display converts its ASCII input to the corresponding letter



## Converting from Binary to Decimal

- Just add weights
$-1_{2}$ is just $1^{*} 2^{0}$, or $1_{10}$.
$-110_{2}$ is $1^{*} 2^{2}+1^{*} 2^{1}+0^{*} 2^{0}$, or $6_{10}$. We might think of this using base ten weights: $1 * 4+1 * 2+0 * 1$, or 6 .
$-10000_{2}$ is $1 * 16+0 * 8+0 * 4+0 * 2+0 * 1$, or $16_{10}$.
$-10000111_{2}$ is $1 * 128+1 * 4+1 * 2+1 * 1=135_{10}$. Notice this time that we didn't bother to write the weights having a 0 bit.
- $00110_{2}$ is the same as $110_{2}$ above - the leading 0's don't change the value.

Useful to know powers of 2 :

$$
\overline{2^{9}} \overline{2^{8}} \overline{2^{7}} \overline{2^{6}} \overline{2^{5}} \overline{2^{4}} \overline{2^{3}} \overline{2^{2}} \overline{2^{1}} \overline{2^{0}}
$$



Practice counting up by powers of 2 :
$\begin{array}{llllllllll}512 & 256 & 128 & 64 & 32 & 16 & 8 & 4 & 2 & 1\end{array}$

## Converting from Decimal to Binary

- Put 1 in leftmost place without sum
exceeding number
- Track sum



## Converting from Decimal to Binary

- Example using a more compact notation



## Example: DIP-Switch Controlled Channel

- Ceiling fan receiver should be set in factory to respond to channel "73"
- Convert 73 to binary, set DIP switch accordingly


## Base Sixteen: Another Base Used by Designers

$\overline{16^{4}} \frac{-}{16^{3}} \frac{8}{16^{2}} \quad \frac{\mathrm{~A}}{16^{1}} \frac{\mathrm{~F}}{16^{0}}$


100010101111

| hex | binary |  | hex | binary |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0000 |  | 8 | 1000 |
| 1 | 0001 |  | 9 | 1001 |
| 2 | 0010 |  | A | 1010 |
| 3 | 0011 |  | B | 1011 |
| 4 | 0100 |  | C | 1100 |
| 5 | 0101 |  | D | 1101 |
| 6 | 0110 |  | E | 1110 |
| 7 | 0111 |  | F | 1111 |

- Nice because each position represents four base-two positions
- Compact way to write binary numbers
- Known as hexadecimal, or just hex


Q: Convert hex A01 to binary


## Decimal to Hex

## - Easy method: convert to binary first, then binary to hex

Convert 99 base 10 to hex
First convert to binary:
Then binary to hex:

(Quick check: 6*16 + 3*1 = 96+3 = 99)

## Hex Example: RFID Tag

- Batteryless tag powered by radio field
- Transmits unique identification number
- Example: 32 bit id
- 8 -bit province number, 8 -bit country number, 16 -bit animal number
- Tag contents are in binary
- But programmers use hex when writing/reading

(b)

(c) Province: 7 City: 160

Animal: 513
(d) 00000111101000000000001000000001
(e) 07
(f)

Tag ID in hex: 07A00201

## Converting To/From Binary by Hand: Summary




## Divide-By-2 Method Common in Automatic Conversion

## - Repeatedly divide decimal number by 2, place remainder in current binary digit (starting from 1s column)



Note:
Works for any base
$N$-just
divide by
$N$ instead

## Bytes, Kilobytes, Megabytes, and More

- Byte: 8 bits

- Common metric prefixes:
- kilo (thousand, or $10^{3}$ ), mega (million, or $10^{6}$ ), giga (billion, or $10^{9}$ ), and tera (trillion, or $10^{12}$ ), e.g., kilobyte, or KByte
- BUT, metric prefixes also commonly used inaccurately
$-2^{16}=65536$ commonly written as " 64 Kbyte"
- Typical when describing memory sizes
- Also watch out for "KB" for kilobyte vs. "Kb" for kilobit


# Implementing Digital Systems: Programming Microprocessors Vs. Designing Digital Circuits 



## Digital Design: When Microprocessors Aren't Good Enough

- With microprocessors so easy, cheap, and available, why
 design a digital circuit?
- Microprocessor may be too slow
- Or too big, power hungry, or costly

Wing controller computation task:

- 50 ms on microprocessor
- 5 ms as custom digital circuit

If must execute 100 times per second:

- $100 * 50 \mathrm{~ms}=5000 \mathrm{~ms}=5$ seconds
- $100 * 5 \mathrm{~ms}=500 \mathrm{~ms}=0.5$ seconds

Microprocessor too slow, circuit OK.

## Digital Design: When Microprocessors Aren't Good Enough

- Commonly, designers partition a system among a microprocessor and custom digital circuits

Sample digital camera task execution times (in seconds) on a microprocessor versus a digital circuit:

| Task | Microprocessor | Custom <br> Digital Circuit |
| :--- | :--- | :--- |
| Read | 5 | 0.1 |
| Compress | 8 | 0.5 |
| Store | 1 | 0.8 |

(a)


Q: How long for each implementation option?

$$
5+8+1
$$

$$
=14 \mathrm{sec}
$$


.1+.5+. 8 $=1.4 \mathrm{sec}$
. $1+.5+1$ $=1.6 \mathrm{sec}$

Good compromise

## Chapter Summary

- Digital systems surround us
- Inside computers
- Inside many other electronic devices (embedded systems)
- Digital systems use 0s and 1s
- Encoding analog signals to digital can provide many benefits
- e.g., audio—higher-quality storage/transmission, compression, etc.
- Encoding integers as 0s and 1s: Binary numbers
- Microprocessors (themselves digital) can implement many digital systems easily and inexpensively
- But often not good enough—need custom digital circuits

