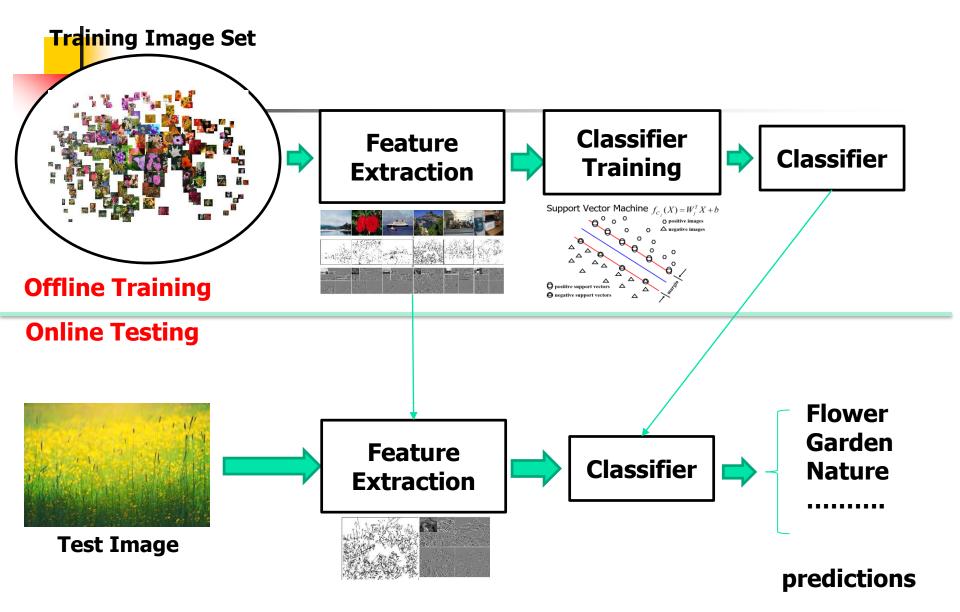
Hierarchical Image Classification over Concept Ontology

Jianping Fan Dept of Computer Science UNC-Charlotte

Course Website: http://webpages.uncc.edu/jfan/itcs5152.html

Pipeline for Traditional Image Classification System



- Image-based approach
- Grid-based approach
- Object-based approach
- Bag-of-Visual-Word
- Deep Networks

Object-Based Approach

Input Image

Salient Objects

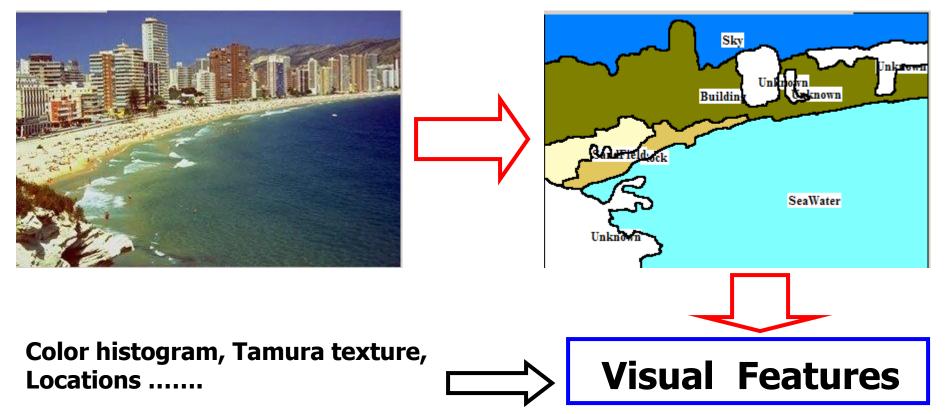
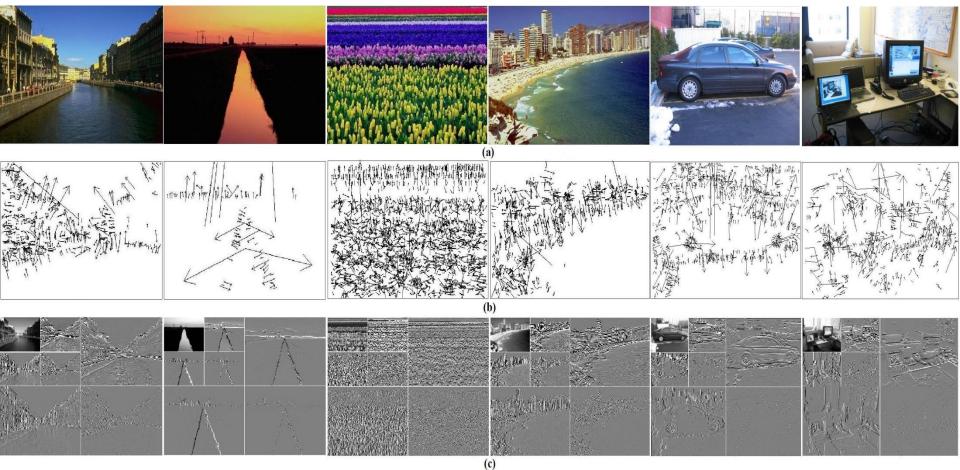


Image-Based Approach



Grid-Based Approach





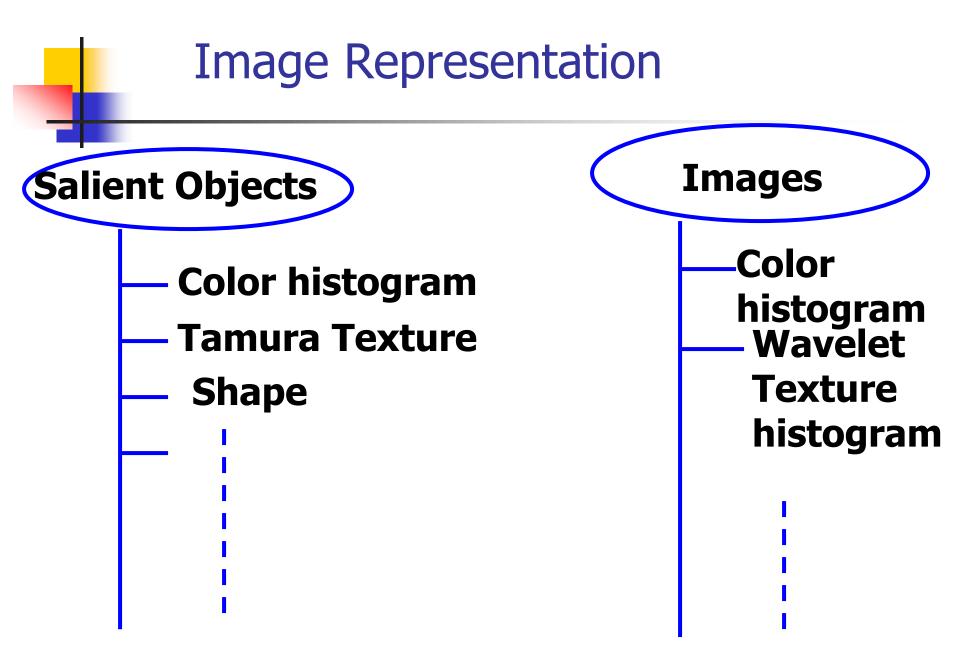


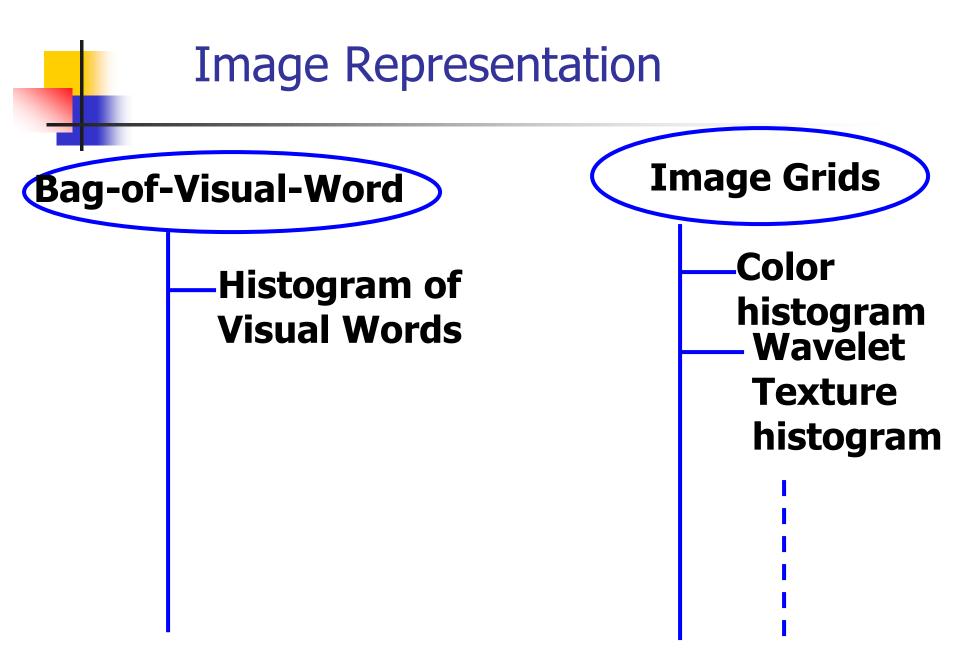


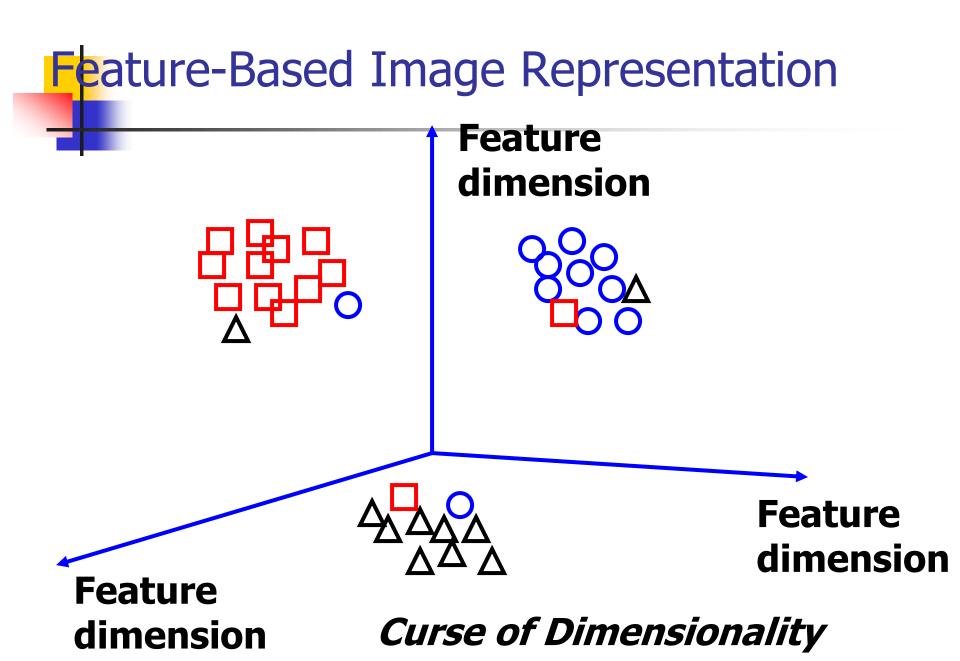
Bag-of-Visual-Word Approach

Examples for visual words

Airplanes	
Motorbikes	
Faces	
Wild Cats	
Leaves	
People	
Bikes	



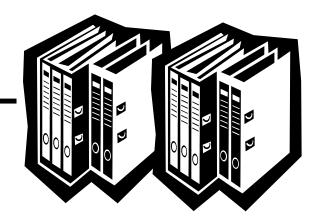


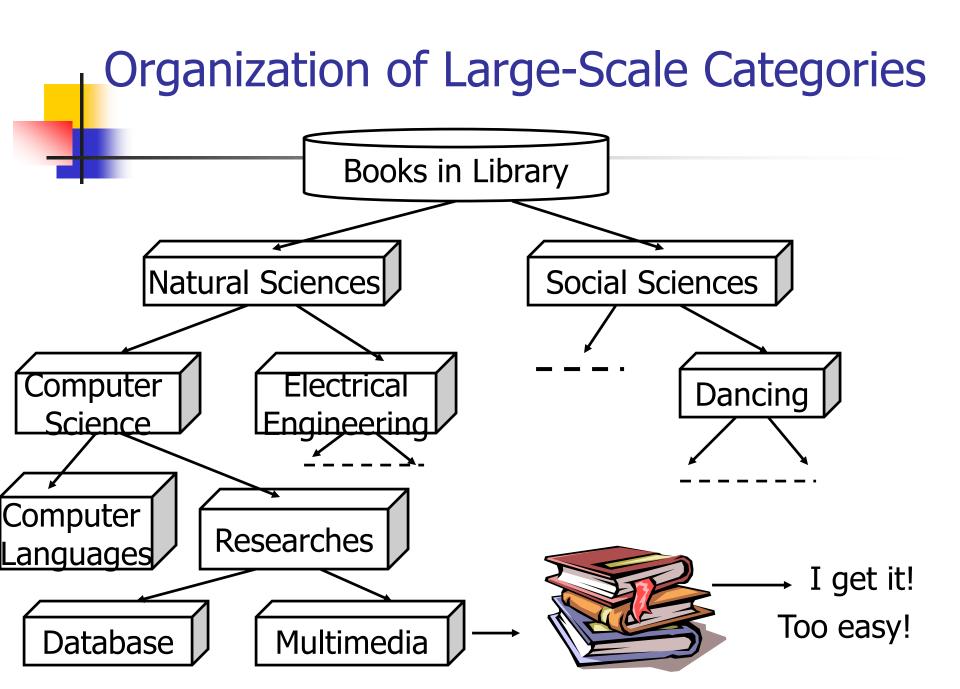


Organization of Large-Scale Categories

Library: 12,000,000 books





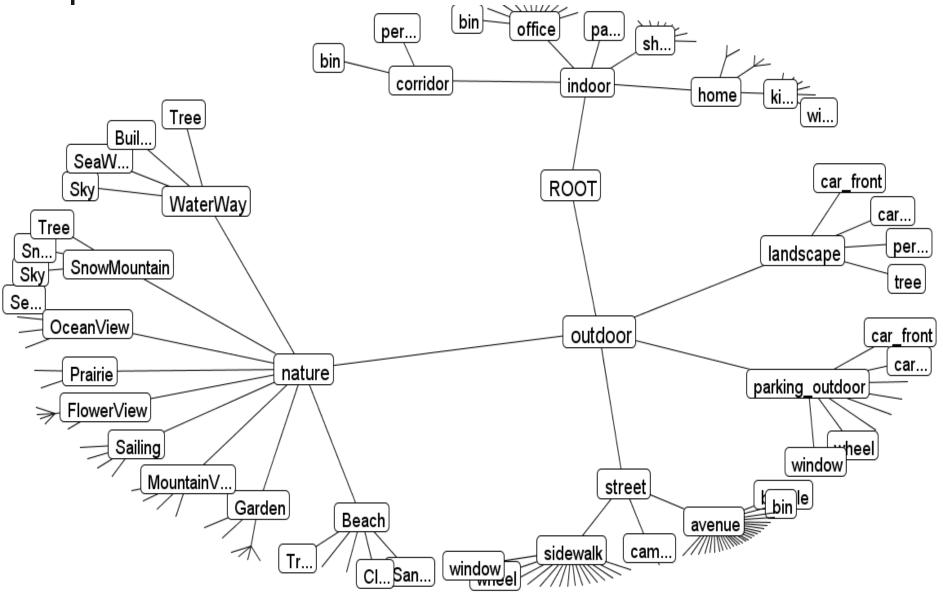


Organization of Large-Scale Categories

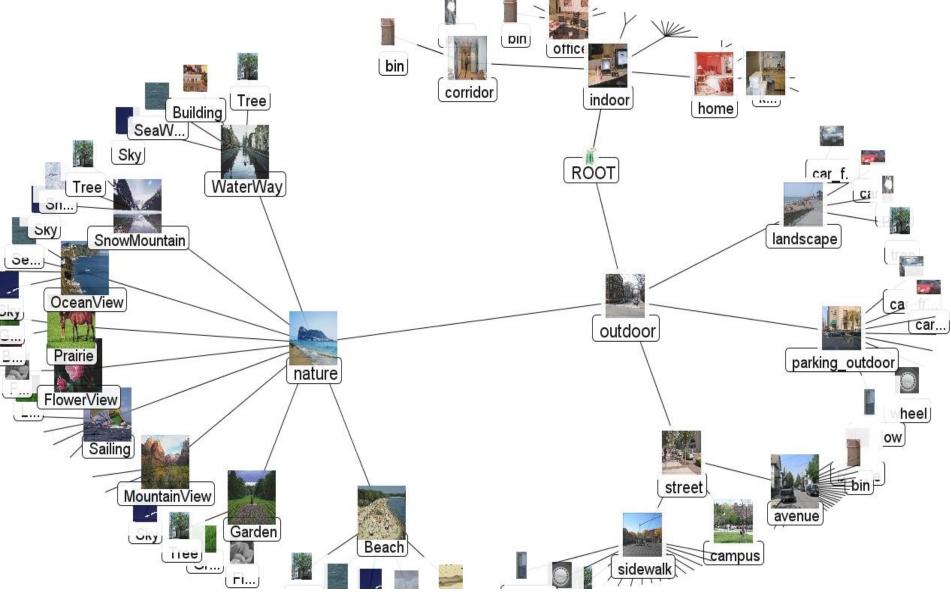
What is the solution?

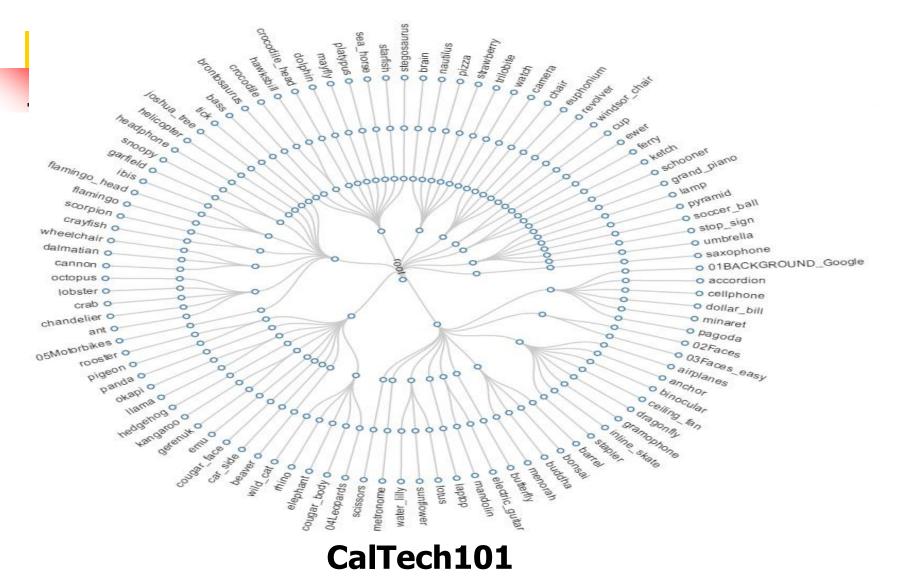
Sourcept Hierarchy or Ontology

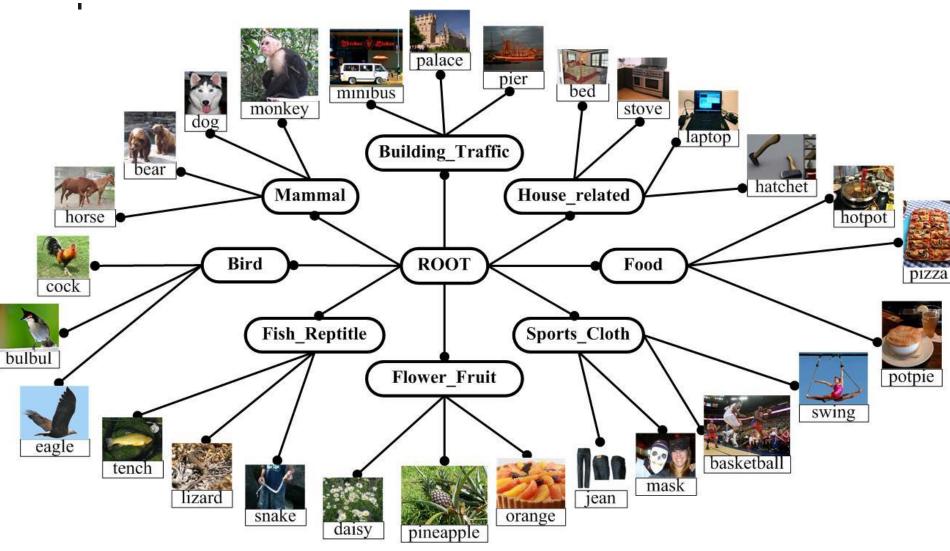
Hierarchical Concept Organization Concept Ontology



Hierarchical Concept OrganizationConcept Ontology

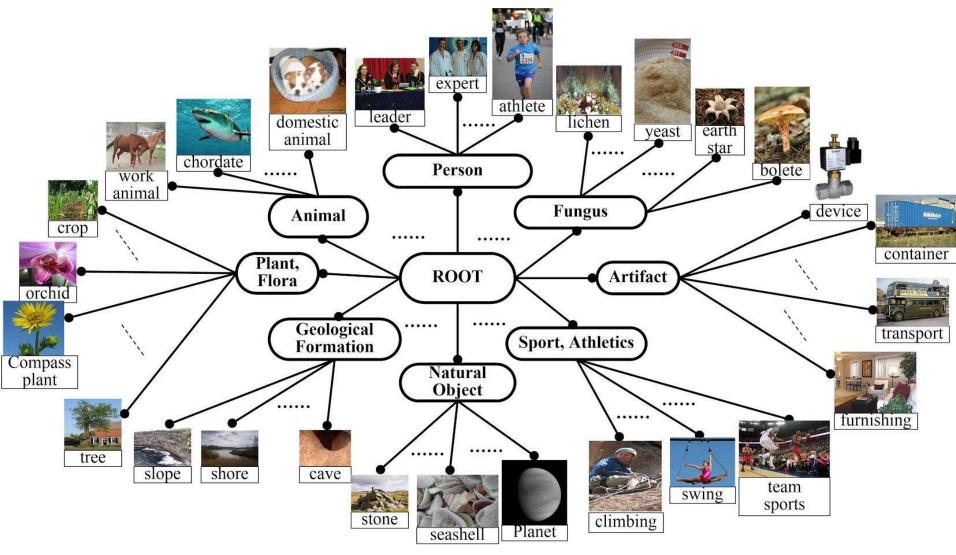




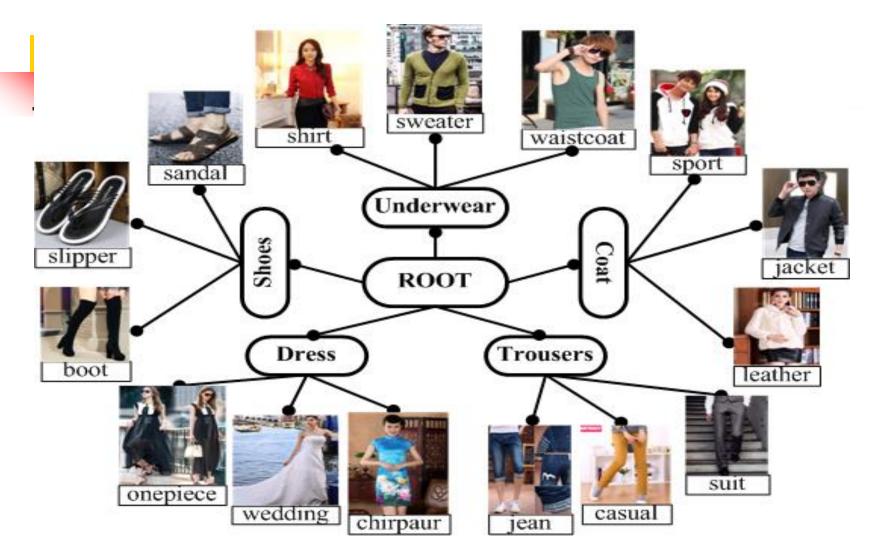


Two-Layer Ontology for ImageNet1K

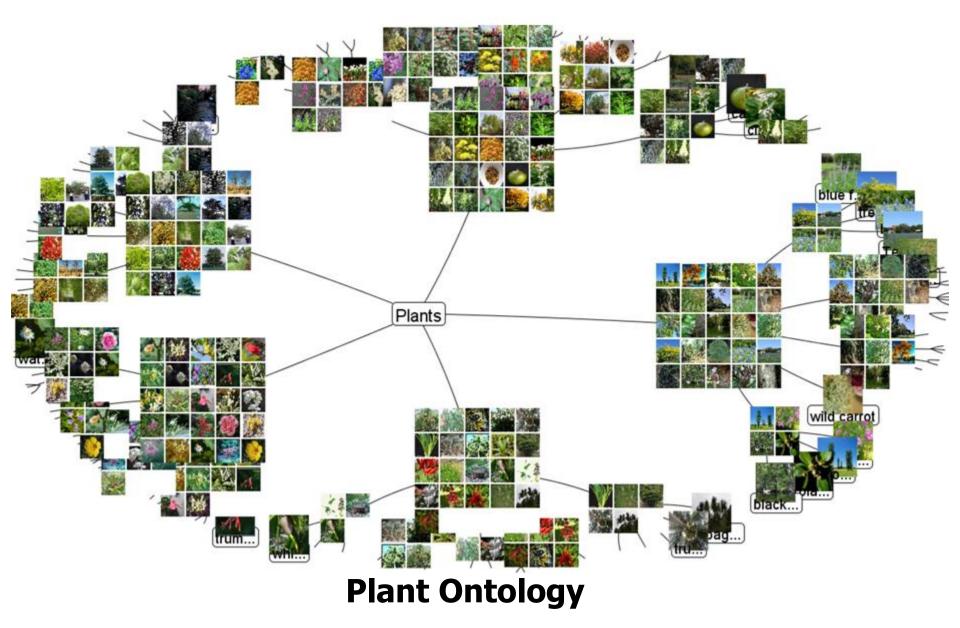
_											lma	geNet	1000											
Exercise related (device)	Daily tools	Kitchen and food (tools)	Package	Paper-related (books, characters, pictures)	Cosmetics	Hats and masks	Cloth (clothes, shoes, others)	Light and fire	Furniture	Shops (various goods)	Electronic device (phone, computer, device)	Instruments	Weapons	Traffic tools	Machines	Structure-related (building)	Insects	Reptiles	Birds	Fruits	Marine creatures	Monkey-like animals (monkey, gorilla, ape)	Animals with four legs	Dog-like animals (dog, wolf, fox)
20 classes	44 classes	72 classes	13 classes	9 classes	9 classes	19 classes	62 classes	10 classes	31 classes	12 classes	53 classes	26 classes	9 classes	79 classes	27 classes	63 classes	41 classes	36 classes	60 classes	39 classes	49 classes	20 classes	66 classes	131 classes

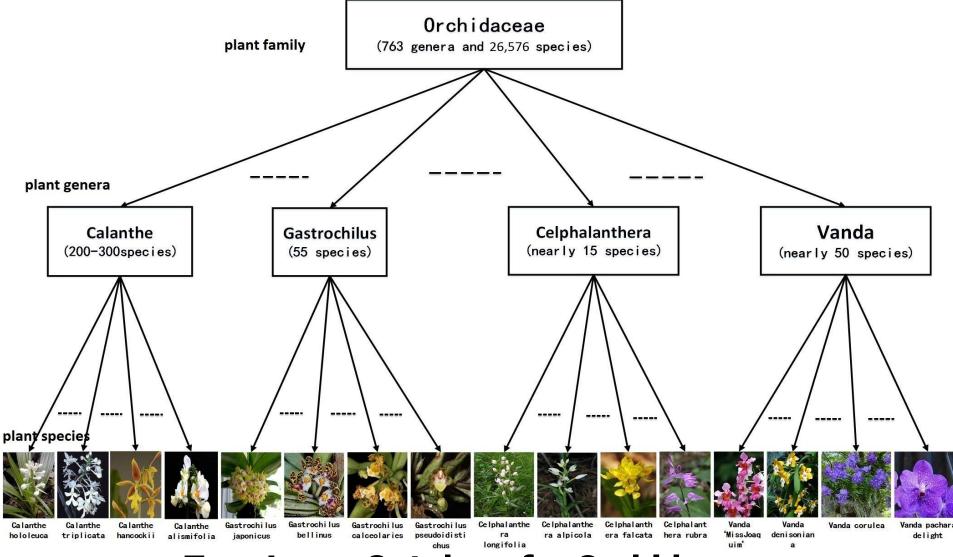


Two-Layer Ontology for ImageNet10K



Two-Layer Ontology for Taobao Products

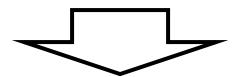




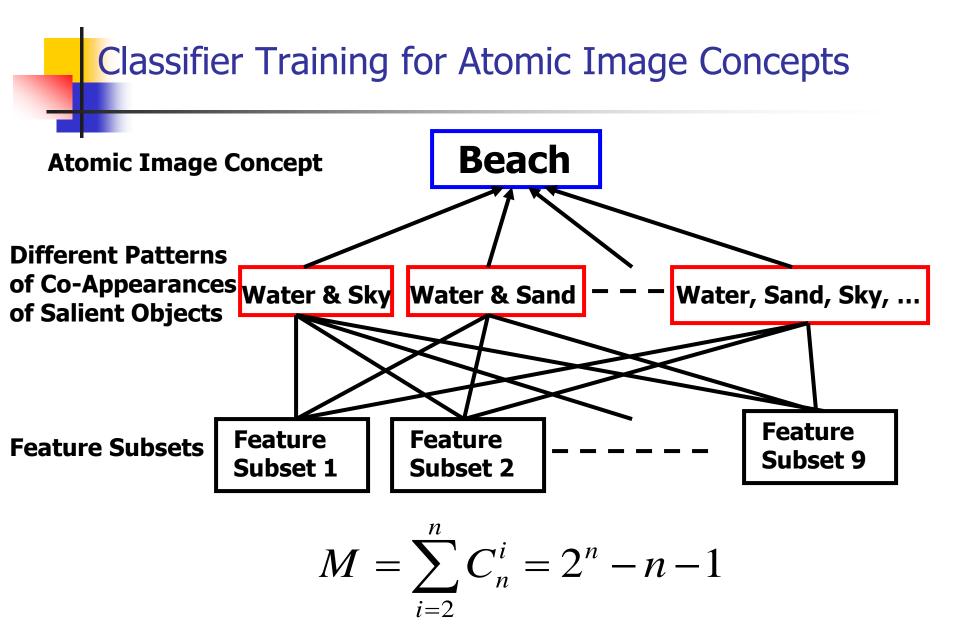
Two-Layer Ontology for Orchidaceae

Multi-Modal Features

- Concept Ontology
 - 1. How to integrate multiple multi-modal features for classifier training?
 - 2. How to support hierarchical classifier training over concept ontology?



Multi-Level Image Annotation: Annotating Images at Different Semantic Levels



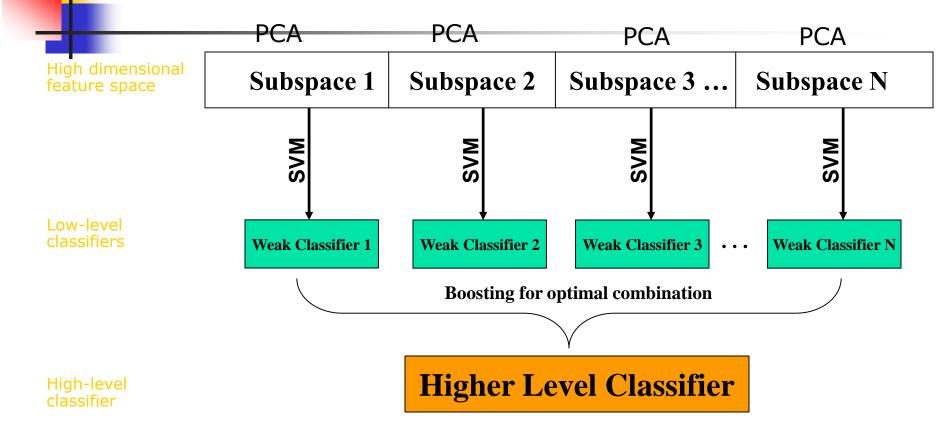
Curse of Dimensionality

- # samples needed increase with # dimensions (generally exponentially).
- Human labeling is expensive
- Some features are redundant

Proposal

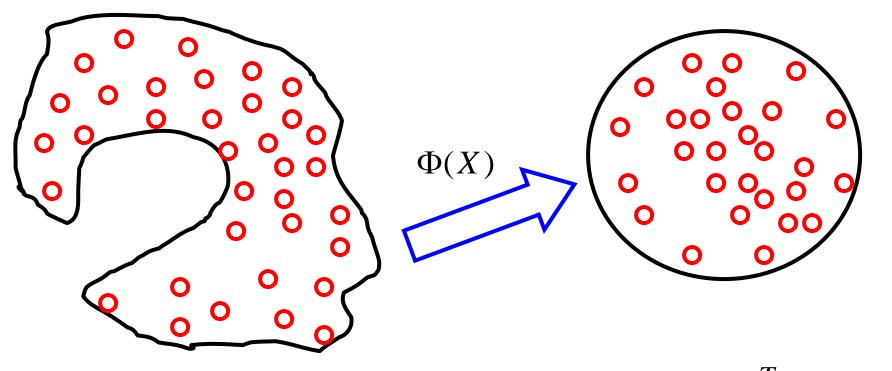
Joint SVM boosting and feature selection

Boosting SVM Classifier Training



- Less training samples due to dimension reduction
- Reuse training results on low-level concepts
- More selection opportunities compared to filter and wrapper

Kernel-Based Data Warping



Kernel Function: $K(X_i, X_i) = \Phi(X_i)^T \Phi(X_i)$

Kernel for Color Histogram

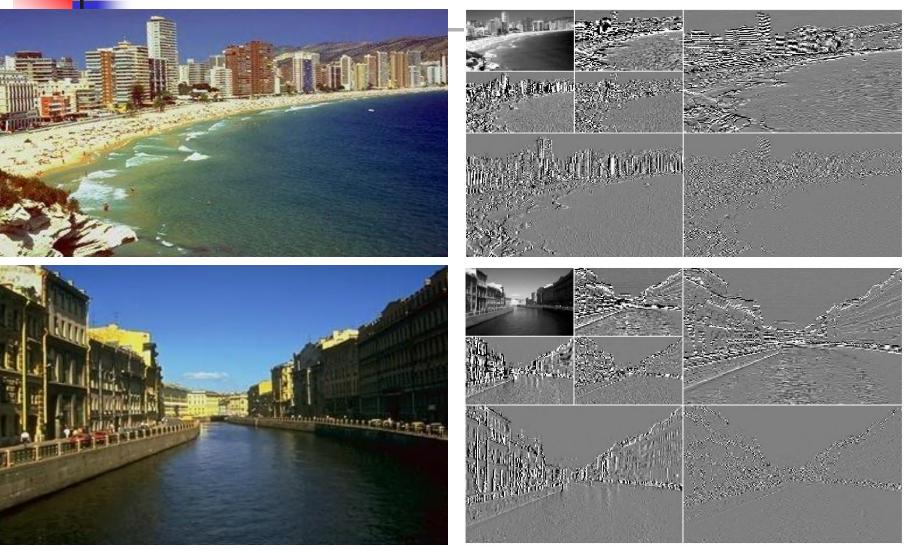
Statistical Image Similarity

$$\chi^{2}(u,v) = \frac{1}{2} \sum_{i=1}^{N} \frac{(u_{i} - v_{i})^{2}}{u_{i} + v_{i}}$$

Kernel

$$\mathbf{K}(u,v) = e^{-\chi^2(u,v)/\sigma}$$

Classifier Training for Atomic Image Concepts Wavelet Filter Bank Kernel



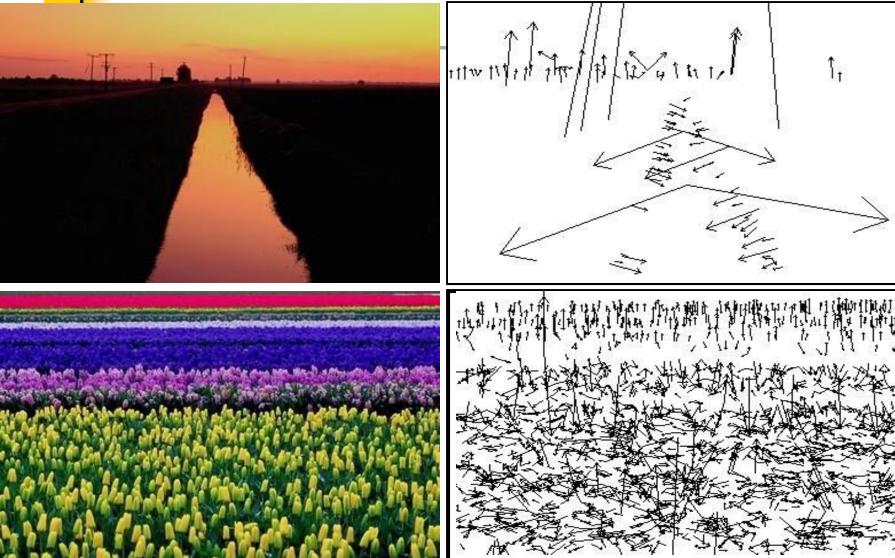
Wavelet Filter Bank Kernel

$$-\sum_{i=1}^{n} \chi_i^2(h_i(x), h_j(y)) / \sigma_i$$

K(x, y) = e

$$=\prod_{i=1}^{n}e^{-\chi_i^2(h_i(x),h_i(y))/\sigma_i}$$

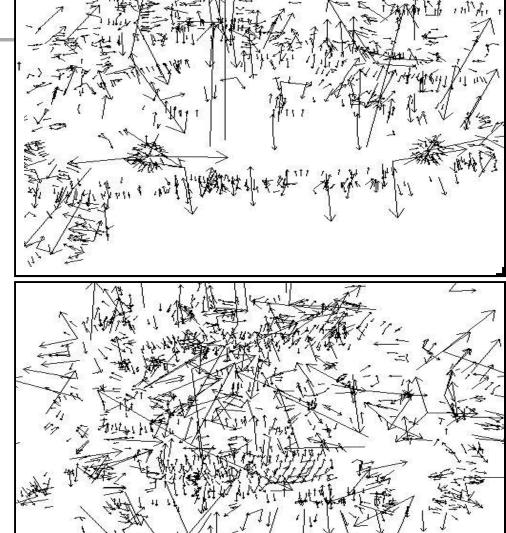
Classifier Training for Atomic Image Concepts Interest Point Matching Kernel



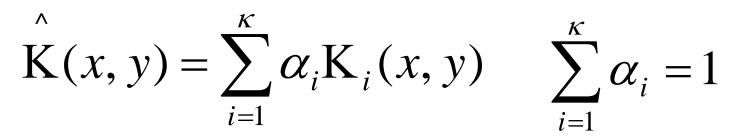
Classifier Training for Atomic Image Concepts Interest Point Matching Kernel







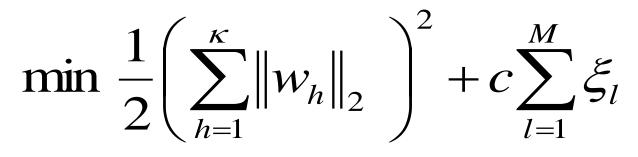
Multiple Kernel Learning



SVM Image Classifier

$$f(X) = \sin g\left(\sum_{l=1}^{M} \beta_l Y_l \overset{\wedge}{\mathrm{K}}(X_l, X) + b\right)$$

Dual Problem



Subject to:

 $\forall_{l=1}^{M}: \xi_{l} \geq 0, Y_{i}\left(\sum_{l=1}^{\kappa} \left\langle w_{k}, \Phi(X_{l}) \right\rangle + b\right) \geq 1 - \xi_{l}$



Original Image



Object Detection



Salient Objects

Semantic Image

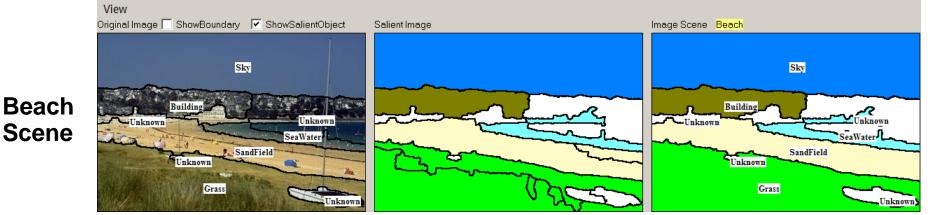
Classification

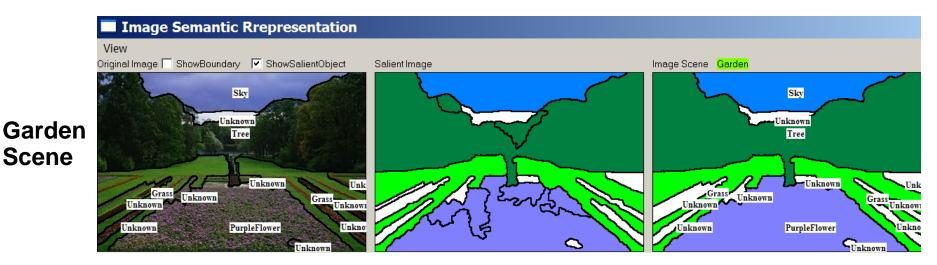


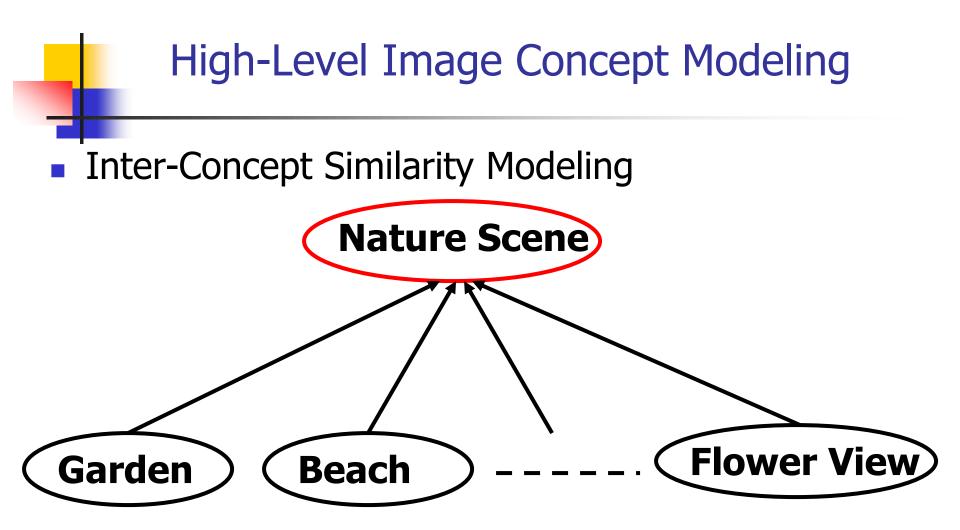
Semantic Image Concept: Garden

Classifier Training for Atomic Image Concepts Some Results

Image Semantic Rrepresentation







Nature Scene: Larger Hypothesis Space & Large Variations of Visual Properties Garden, Beach, Flower view: Different but share common visual properties!

Challenging Problems

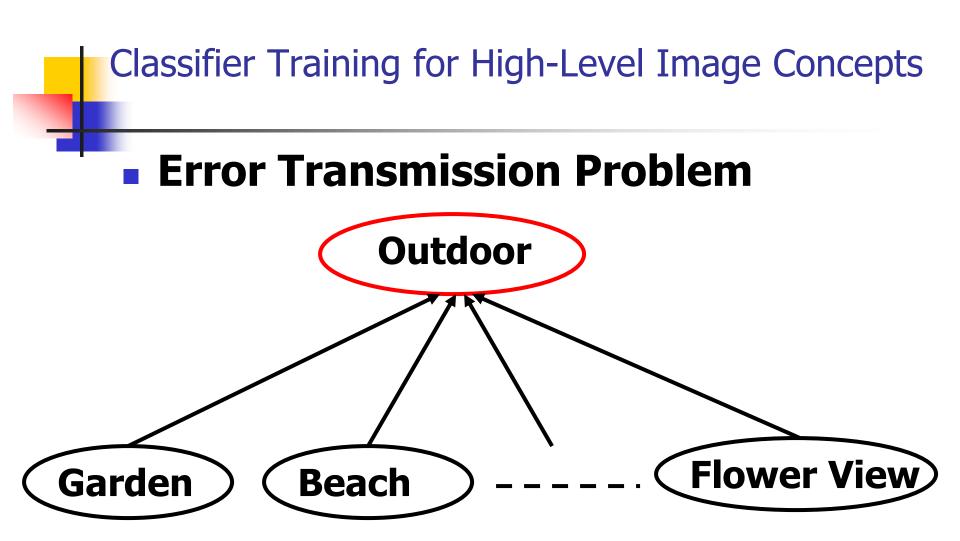
Error Transmission Problems

Training Cost Issue

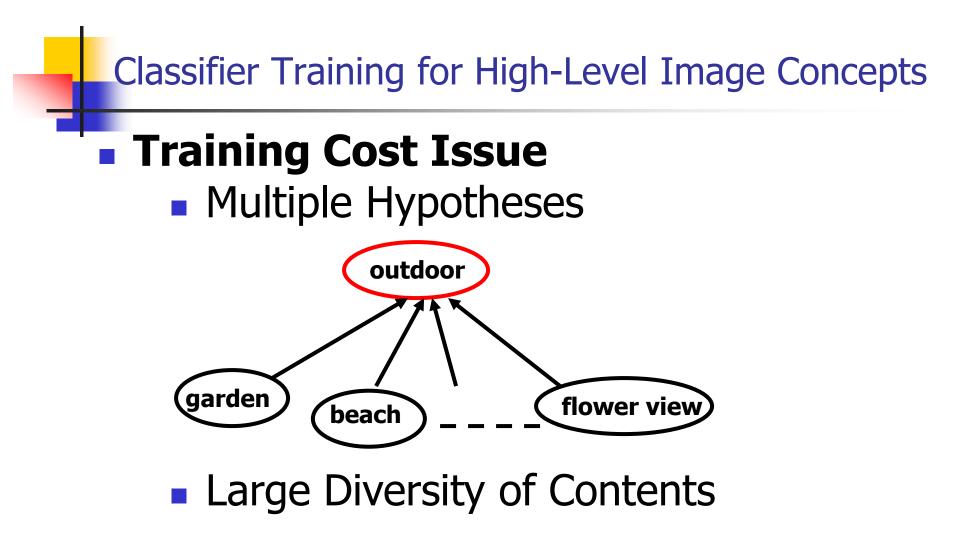
 Knowledge Transferability and Task Relatedness Exploitation

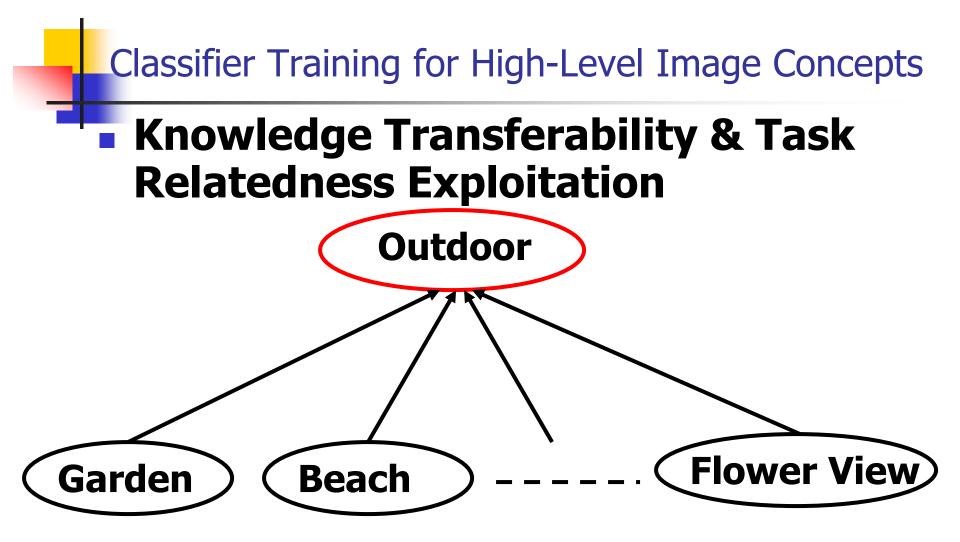
Classifier Training for High-Level Image Concepts Error Transmission Problem bin⊦ office pa... per... sh... bin corridor indoor home ki. Tree Wİ. Buil... SeaW. car front ROOT Sky WaterWay car... Tree per... Sn. landscape SnowMountain Sky tree Se. OceanView outdoor car front car... Prairie nature parking outdoor **FlowerView** Sailing heel window MountainV. street _bin^{le} Garden Beach avenue sidewalk cam... Tr... windowel CI... San...

The classifiers for low-level image concepts cannot recover the errors for the classifiers of high-level image concepts!



Errors for the classifiers of atomic image concepts may be transmitted to the classifiers for the high-level image concepts!

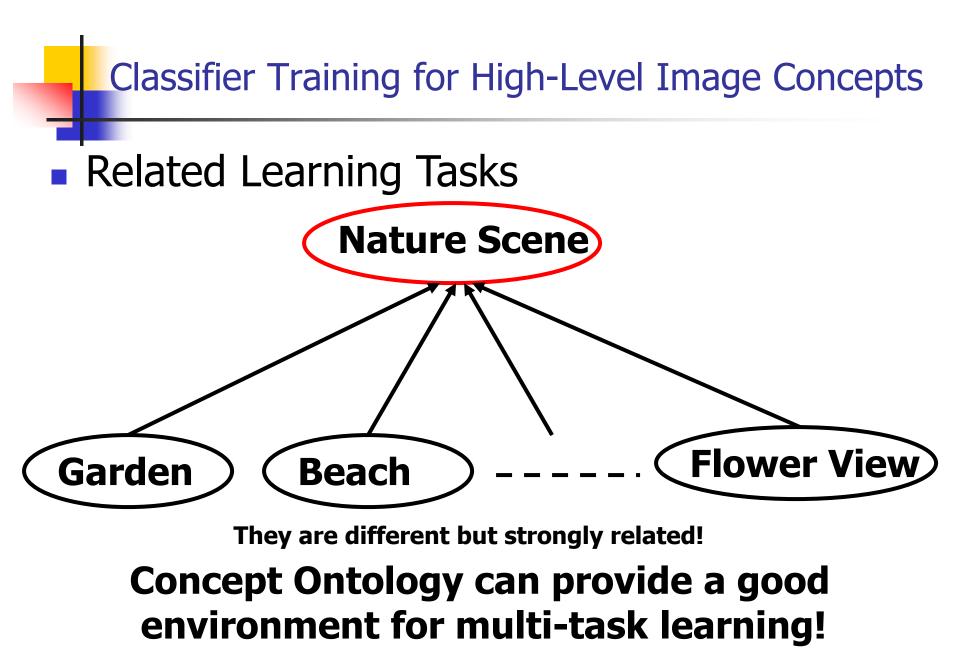


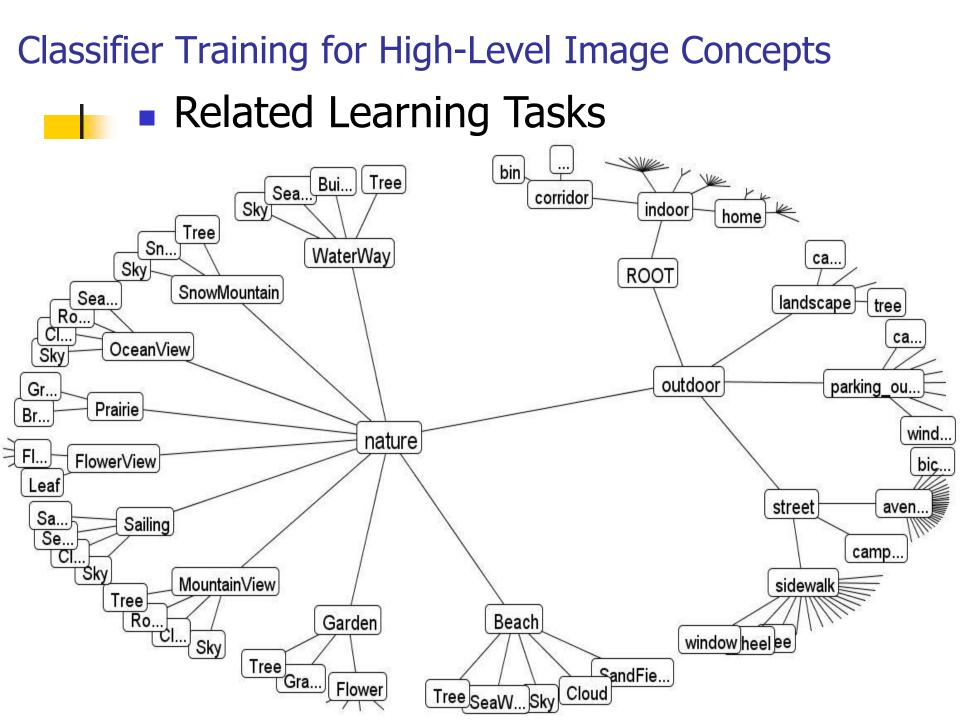


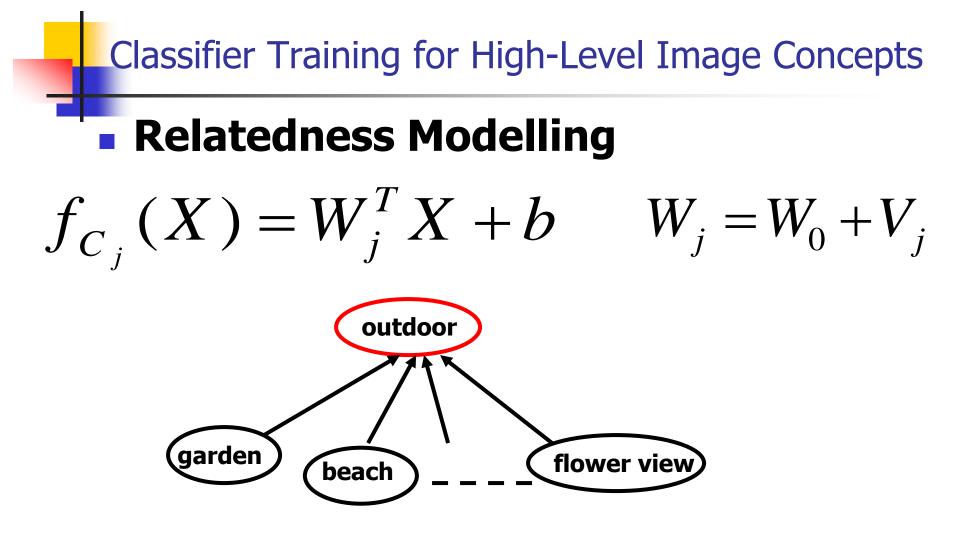
They are different but strongly related!

- Multi-Task Learning
 - Which tasks are strongly related?
 - How to quantify the task relatedness?

How to integrate such task relatedness for training large-scale related image classifiers?

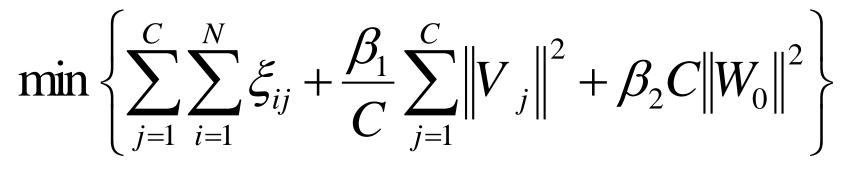






 W_0 : Common Prediction Structure

Joint Objective Function



Subject to:

 $\forall_{i=1}^{C} \forall_{i=1}^{N} : Y_{ii}(W_0 + V_i) \bullet X_{ii} + b \ge 1 - \xi_{ii}$

Dual Problem

$$\max\left\{\sum_{j=1}^{C}\sum_{i=1}^{N}\alpha_{ij} - \frac{1}{2}\sum_{j=1}^{C}\sum_{i=1}^{N}\sum_{h=1}^{C}\sum_{l=1}^{N}\alpha_{ih}Y_{ih}\alpha_{jl}Y_{jl}K_{jh}(X_{ih}, X_{jl})\right\}$$

Subject to:

 $\forall_{i=1}^{N} \forall_{j=1}^{C} : 0 \le \alpha_{ij} \le C, \sum_{i=1}^{C} \sum_{j=1}^{N} \alpha_{ij} Y_{ij} = 0$ i=1 i=1

Biased Classifier Training

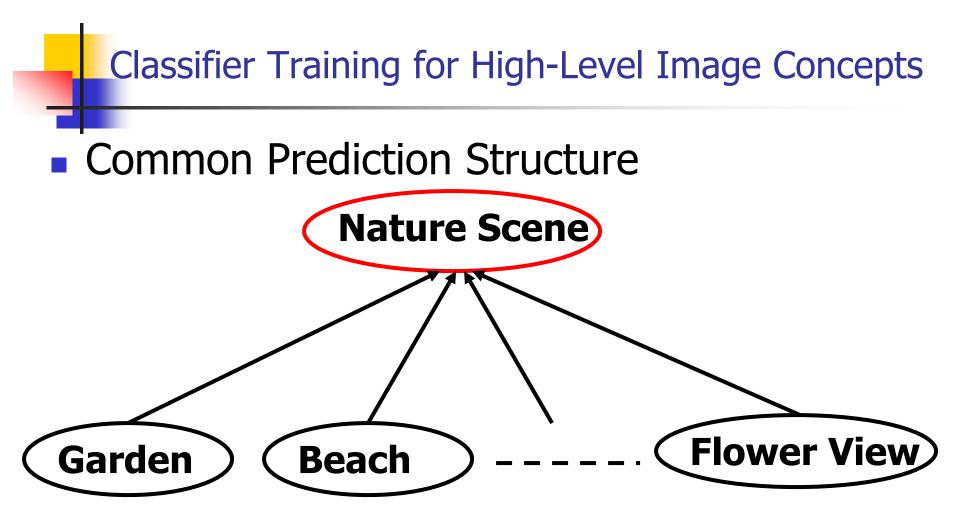
$$\min\left\{\frac{1}{2}\|W - W_0\|^2 + \alpha \sum_{l=1}^m [1 - Y_l(W^T \bullet X_l + b)]\right\}$$

Dual Problem

$$\min\left\{\frac{1}{2}\sum_{l=1}^{m}\sum_{h=1}^{m}\alpha_{l}\alpha_{h}Y_{l}Y_{h}X_{l}^{T}X_{h}-\sum_{l=1}^{m}\alpha_{l}(1-Y_{l}W_{0}^{T}X_{l})\right\}$$

Subject to:

$$\forall_{l=1}^{m}: 0 \leq \alpha_{l} \leq C, \sum_{l=1}^{m} \alpha_{l} Y_{l} = 0$$



Common Visual Properties

Hierarchical Boosting

$$H_{C_k}(X) = \sum_{j=1}^{C+1} p_j(X) f_{C_j}(X)$$
$$p_j(X) = \frac{\exp(f_{C_j}(X))}{\sum_{j=1}^{C+1} \exp(f_{C_j}(X))}$$

Biased Classifier for Parent Node

$$W = W_0 + \sum_{l=1}^m \alpha_l Y_l X_l$$

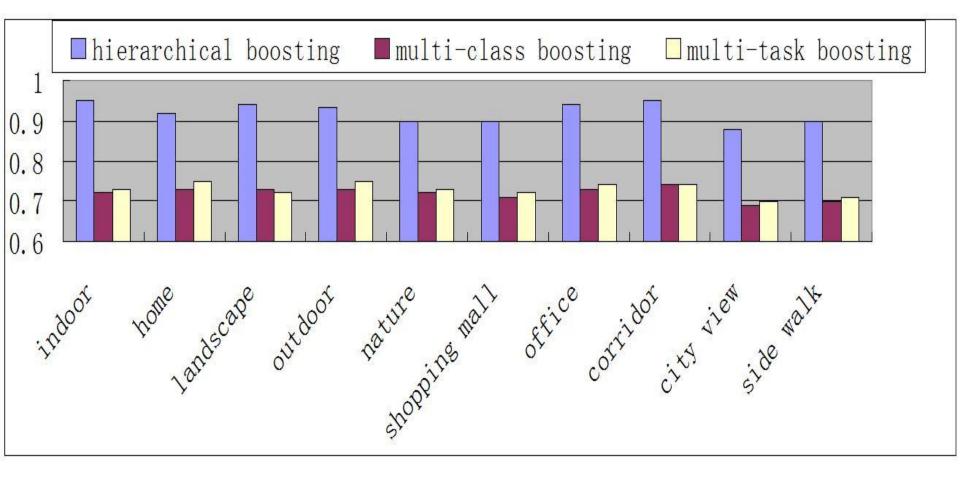
$$f_{C_k}(X) = W^T X + b$$

Hierarchical Boosting to Generate Classifier for Parent Node

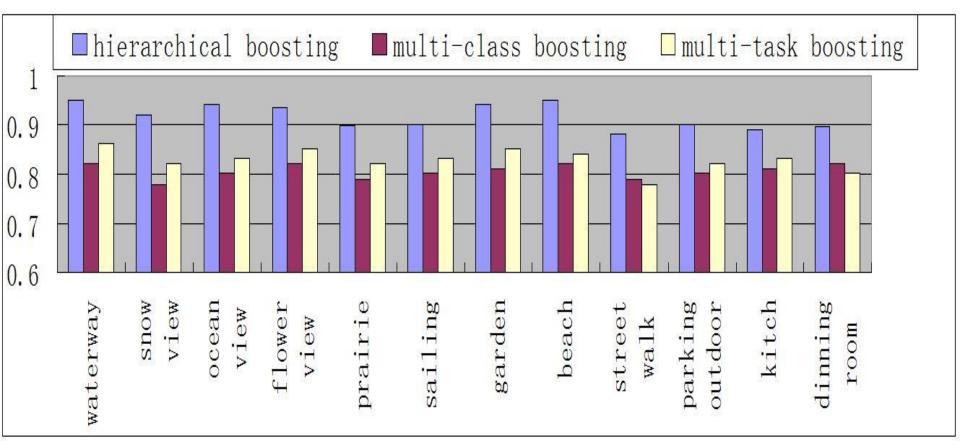
$$H_{C_k}(X) = \sum_{j=1}^{C+1} p_j(X) f_{C_j}(X)$$

$$p_{j}(X) = \frac{\exp(f_{C_{j}}(X))}{\sum_{j=1}^{C+1} \exp(f_{C_{j}}(X))}$$

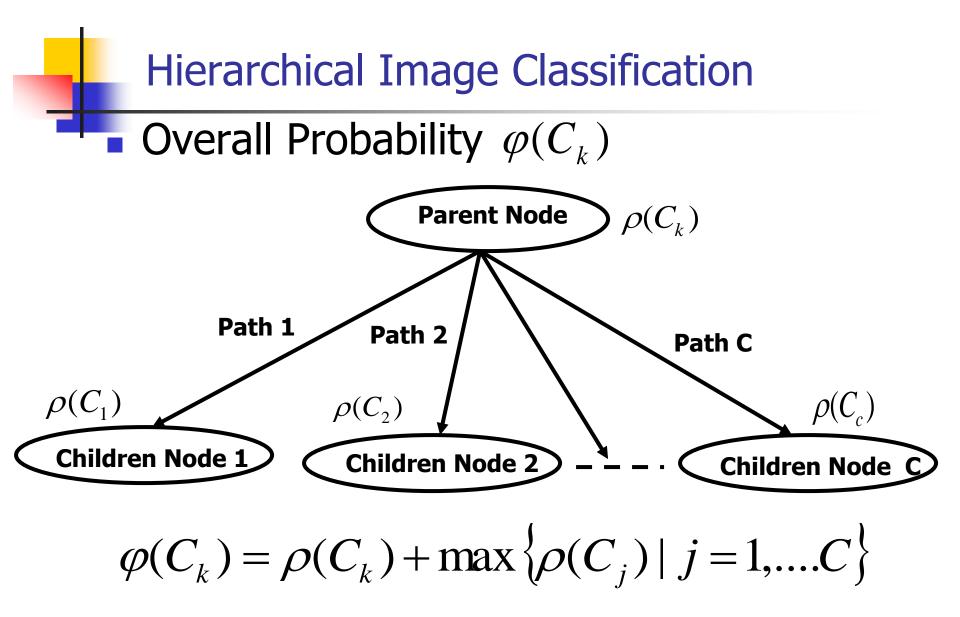
Performance Evaluation



Performance Evaluation

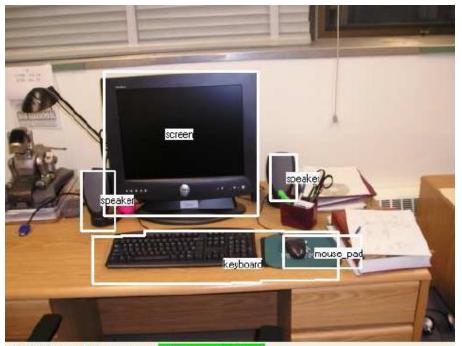


- Advantages of Hierarchical Boosting
 - Handling inter-concept similarity via multi-task learning
 - Reducing training cost
 - Enhancing discrimination power of the classifiers



Hierarchical Image Classification

Some Results

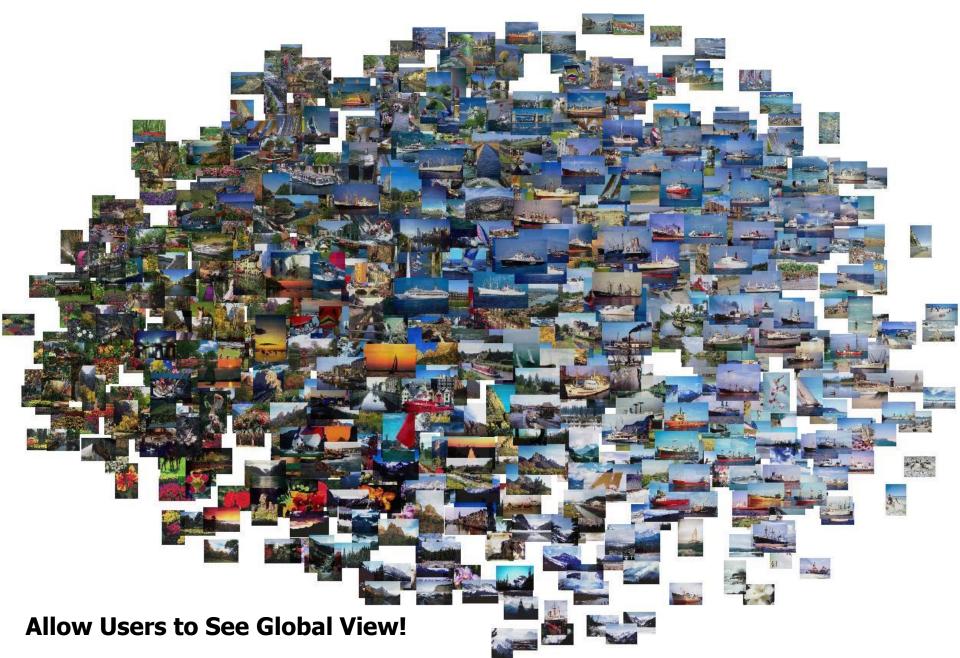


Multi-Level Concepts: office -> indoor Salient Objects: screen; keyboard; speaker; mouse pad;

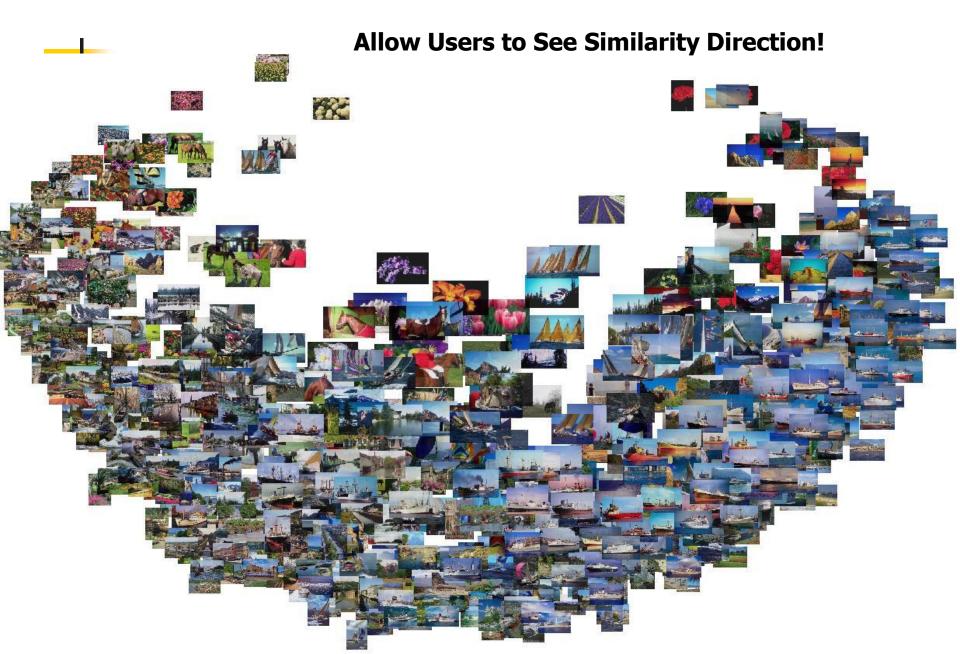


Multi-Level Concepts: sidewalk => street => outdoor Salient Objects: person; car_left; wheel;

Classification Result Evaluation



Classification Result Evaluation

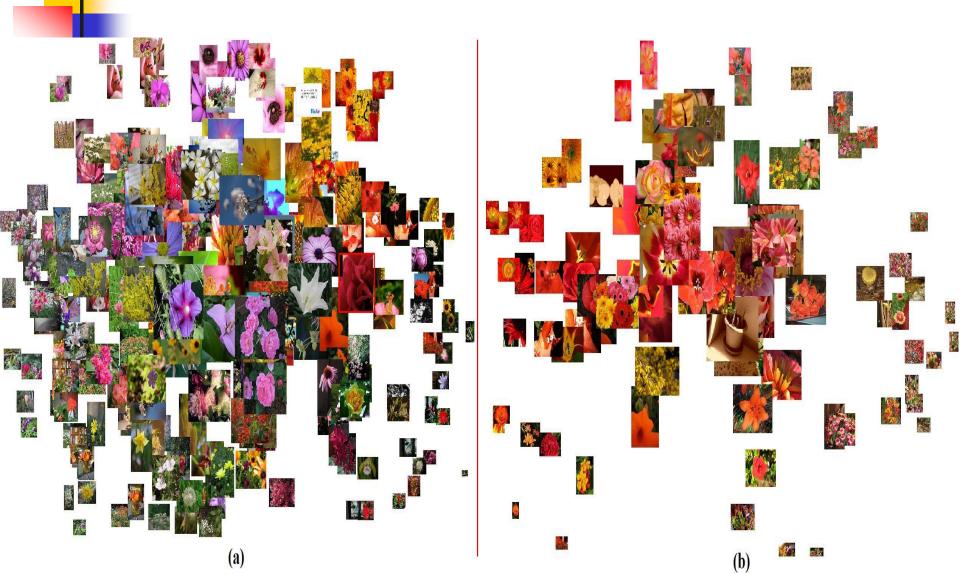


Classification Result Evaluation



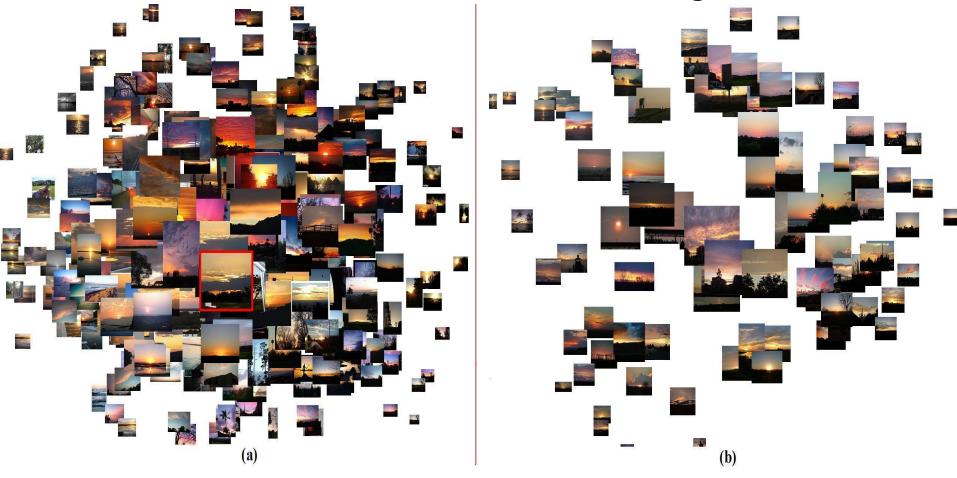
Classification Result Evaluation: Red Flower

Allow Users to Select Query Example Interactively!



Classification Result Evaluation: Sunset

Allow Users to Look for Particular Images!



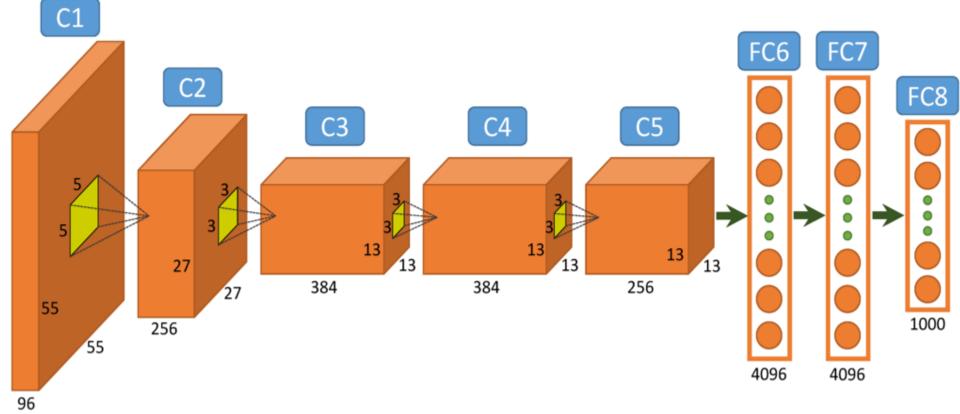


- Concept Ontology for identifying interrelated learning tasks
- Multi-task learning for inter-related tasks
- Hierarchical learning over concept ontology

Deep Multi-Task Learning over Concept Ontology

- Ontology-driven task group generation
- Deep multi-task learning for each task group
- Hierarchical deep multi-task learning over concept ontology

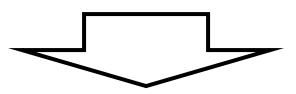
Traditional Deep Learning



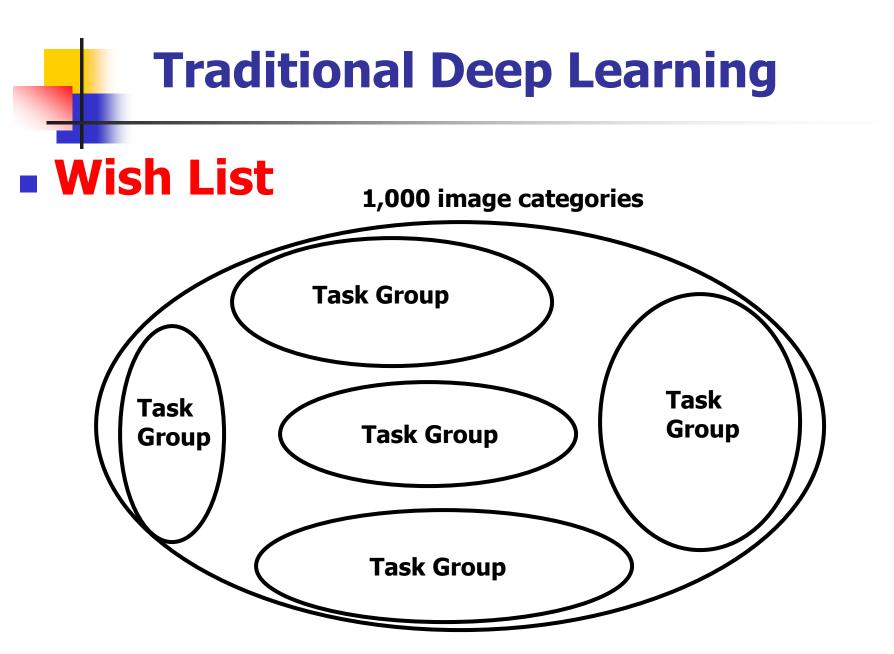
Traditional Deep Learning

Problem of AlexNet

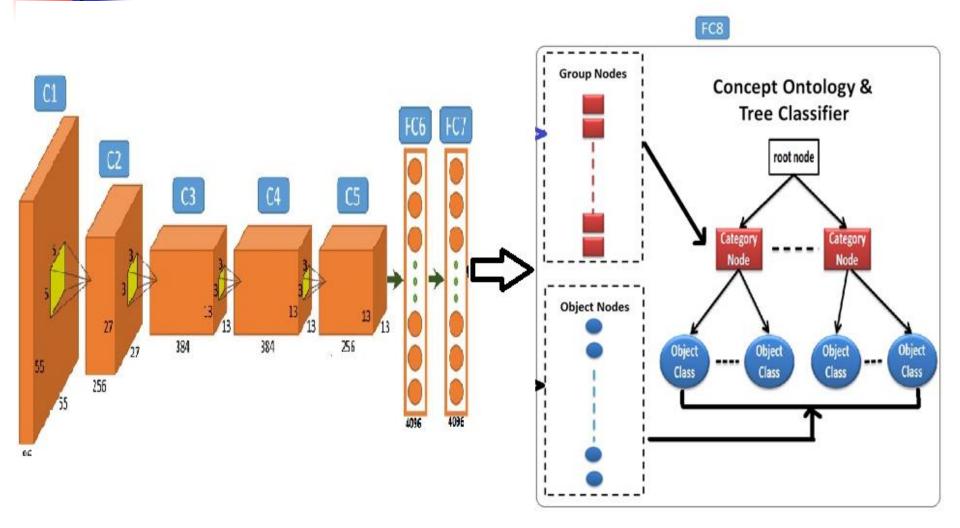
- Inter-class visual correlations are completely ignored! They are assumed to be independent!
- The differences of their learning complexities are completely ignored!

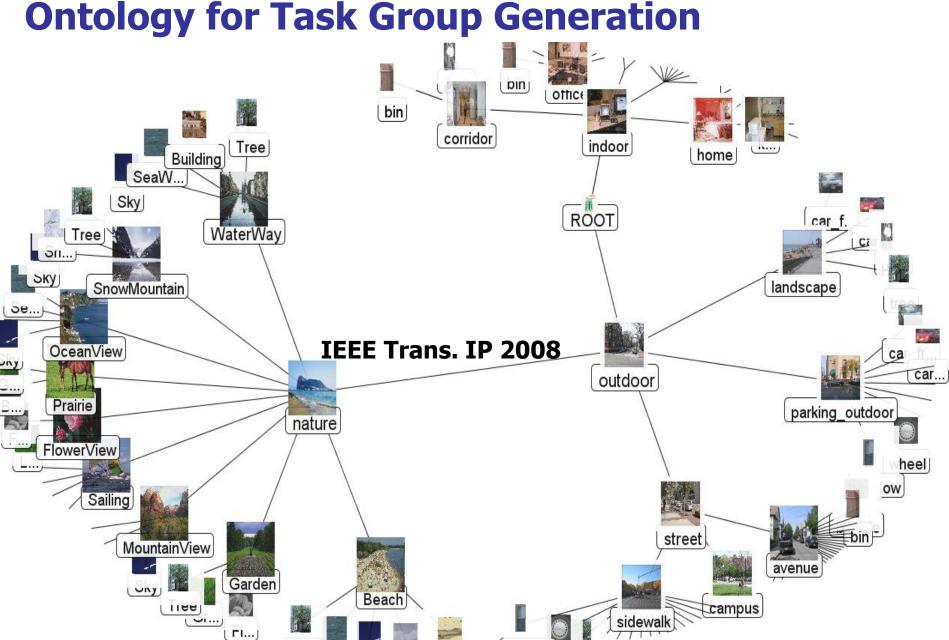


 Back-propagation for optimization may pay more attentions on hard ones!



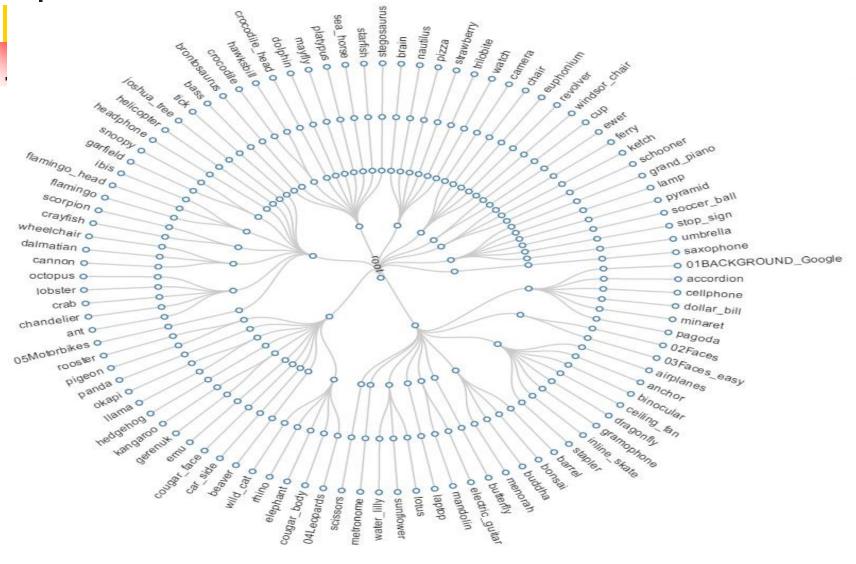
Deep Multi-Task Learning over Concept Ontology





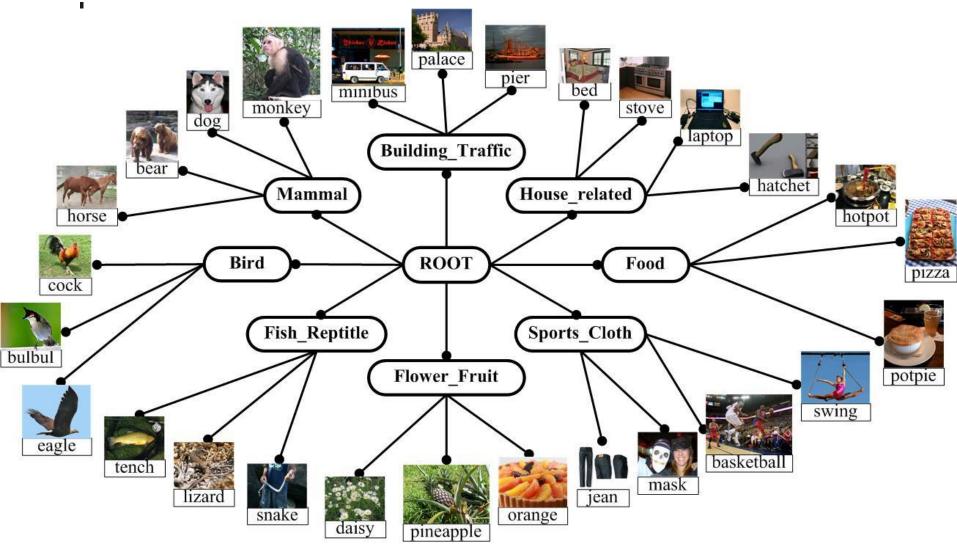
Ontology for Task Group Generation

Ontology for Task Group Generation

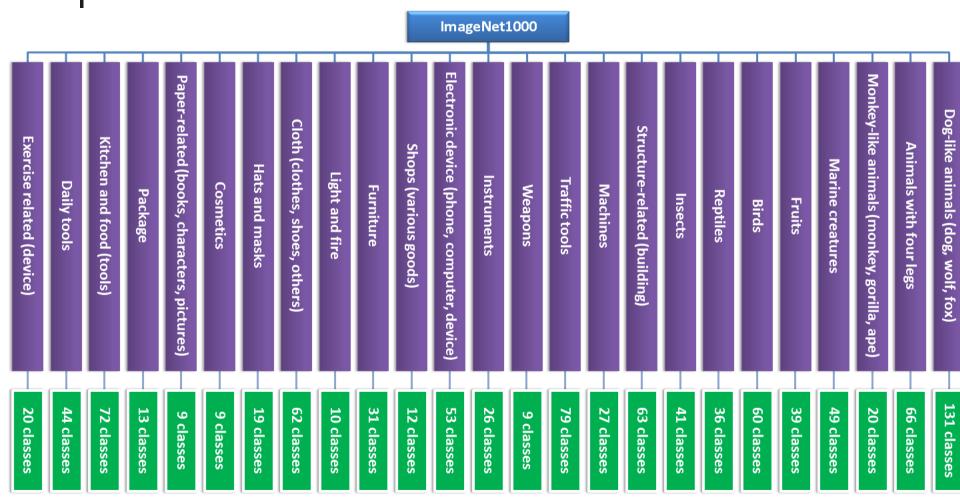


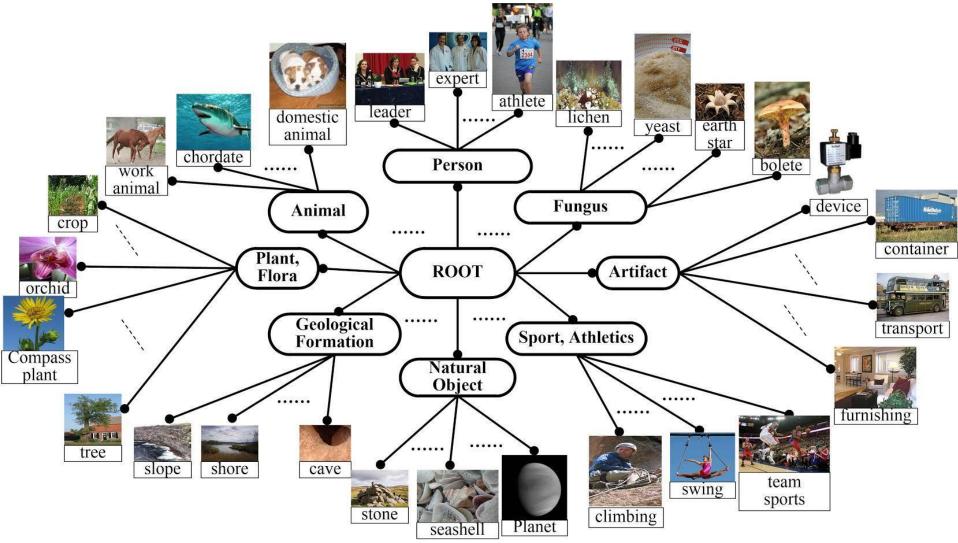
CalTech101

Ontology for Task Group Generation

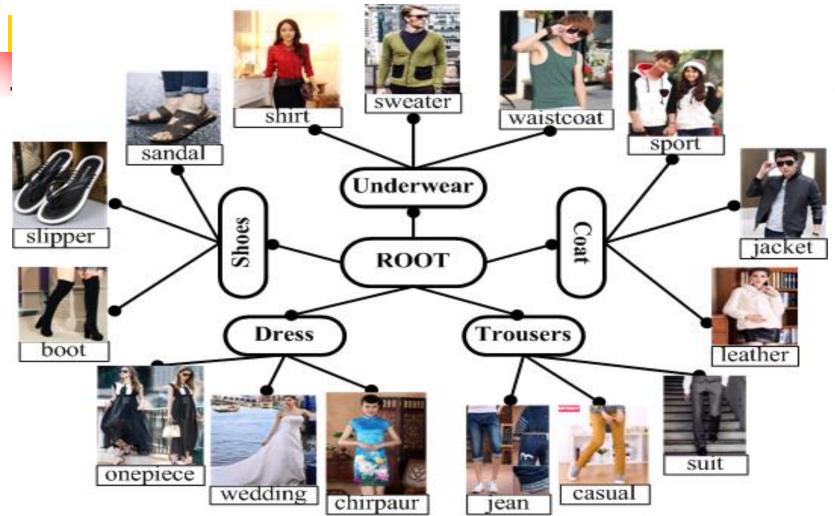


Two-Layer Ontology for ImageNet1K

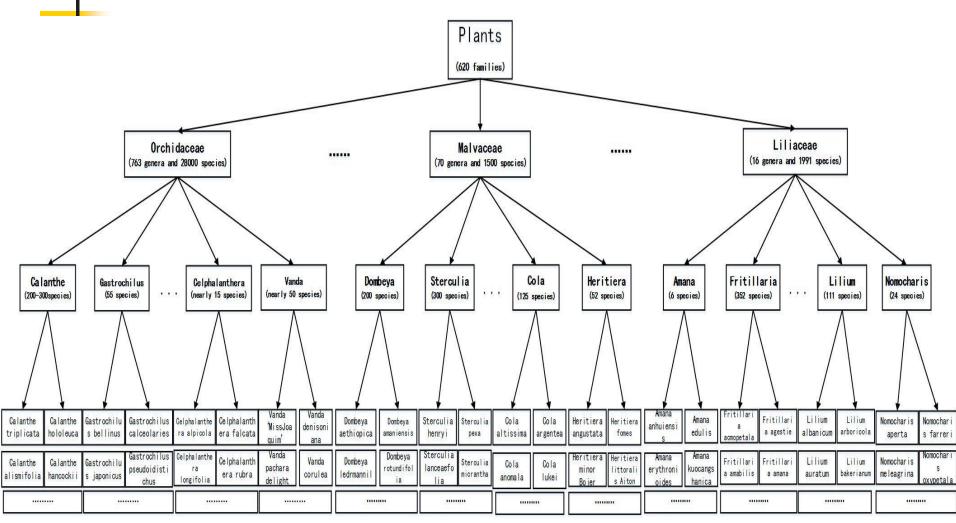




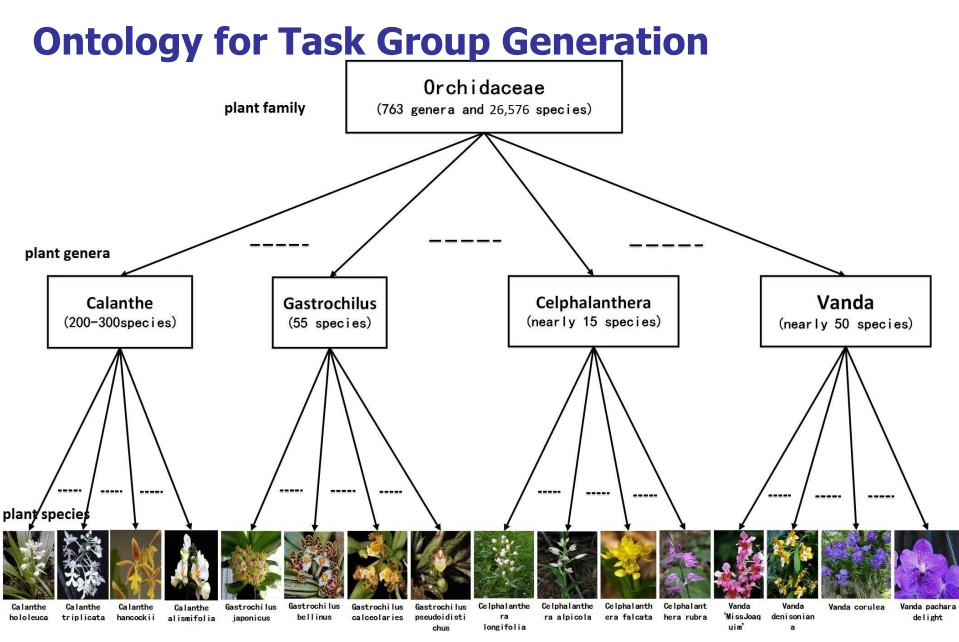
Two-Layer Ontology for ImageNet10K



Two-Layer Ontology for Taobao Products

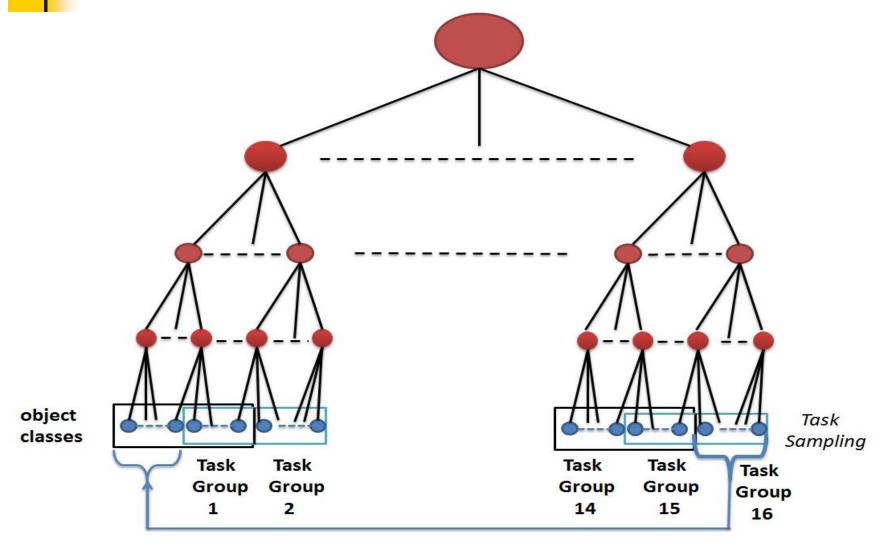


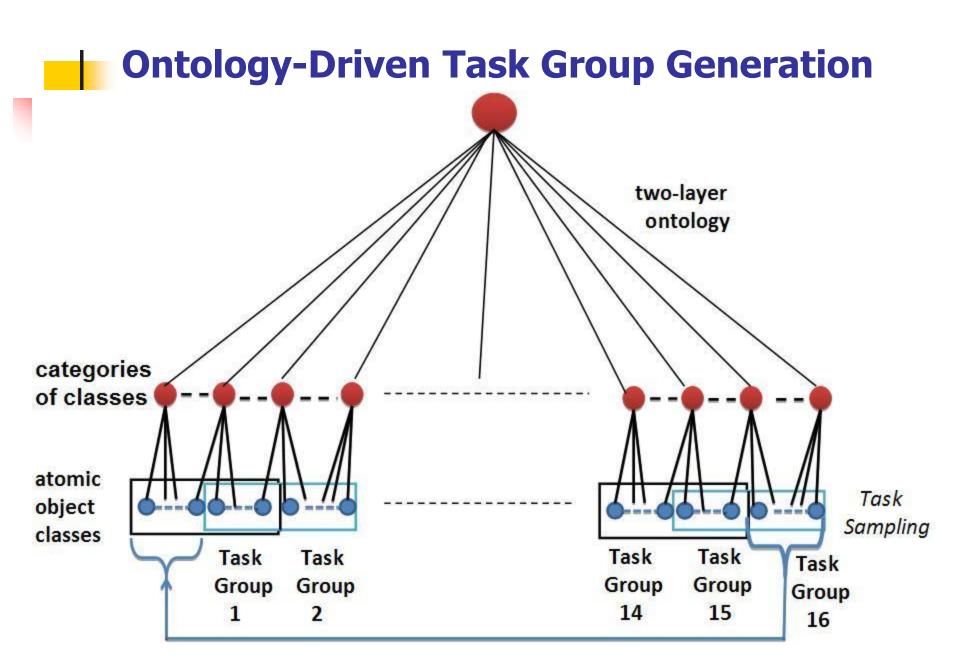
Plant Species Ontology



Two-Layer Ontology for Orchidaceae

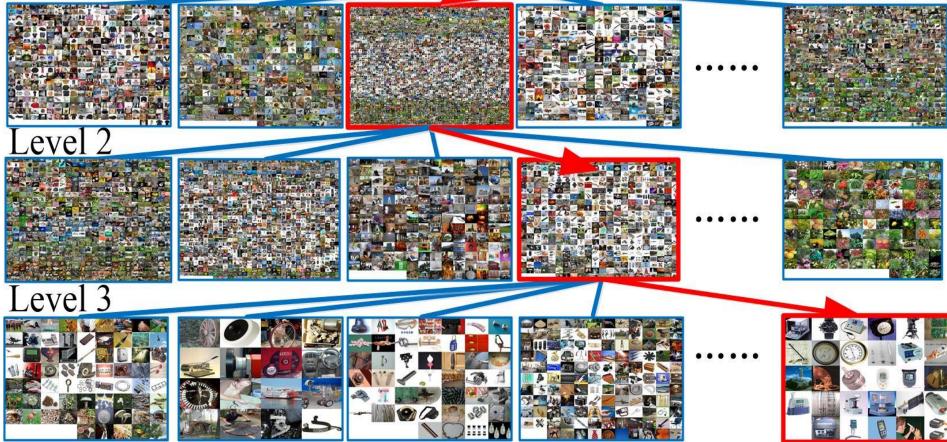
Ontology-Driven Task Group Generation



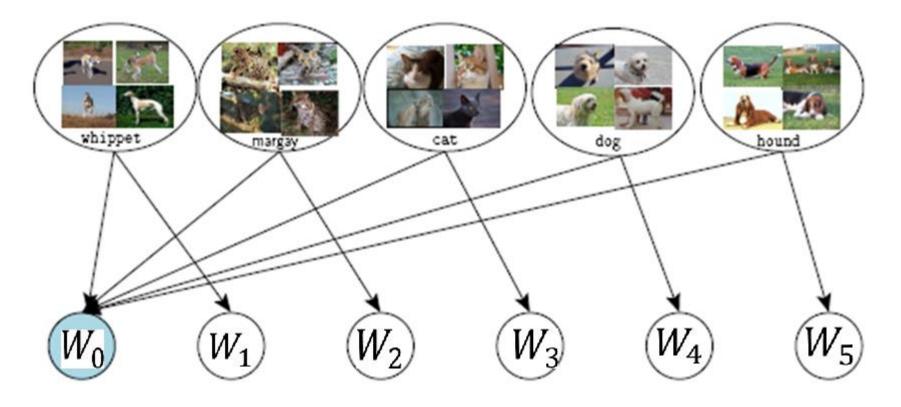


Ontology-Driven Task Group Generation

Level 1



• Deep Multi-Task Learning: $F_j(\mathbf{x}) = (W_0 + W_j)^T \mathbf{x} + \mathbf{b}$



Deep Multi-Task Learning

$$\min\left\{C\sum_{l=1}^{R}\sum_{j=1}^{B}\xi_{j}^{l}+\delta_{1}Tr\left(WW^{T}\right)+\frac{\delta_{2}}{2}Tr\left(WLW^{T}\right)\right\}$$

subject to:

$$\forall_{l=1}^{R} \forall_{j=1}^{B} : y_{j}^{l} (W_{j}^{T} \cdot x_{j}^{l} + b) \ge 1 - \xi_{j}^{l}, \ \xi_{j}^{l} \ge 0$$

Deep Multi-Task Learning

$$\min\left\{\sum_{j=1}^{B}\sum_{l=1}^{R}\beta_{l}^{j}-\frac{1}{2\delta_{1}}\beta^{T}Y\Re\left(\Re+\frac{\delta_{2}}{\delta_{1}}\Re\left(L\bigotimes I\right)\Re\right)^{-1}\Re Y\beta\right\}$$

subject to:

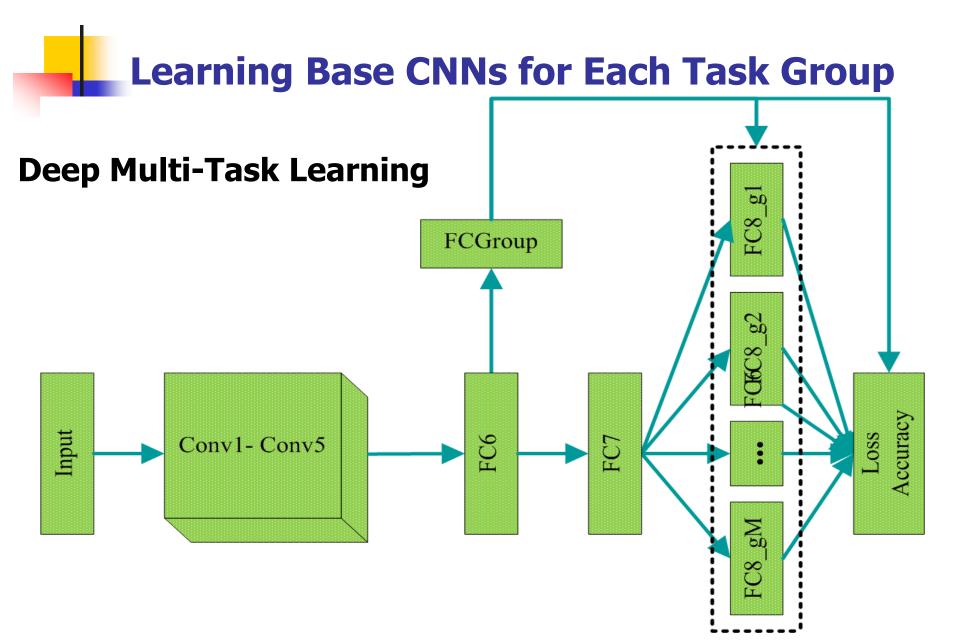
$$\forall_{l=1}^R \forall_{j=1}^B: \quad \sum_{l=1}^R \beta_l^j \cdot y_l^j = 0, \quad 0 \leq \beta_l^j \leq 1$$

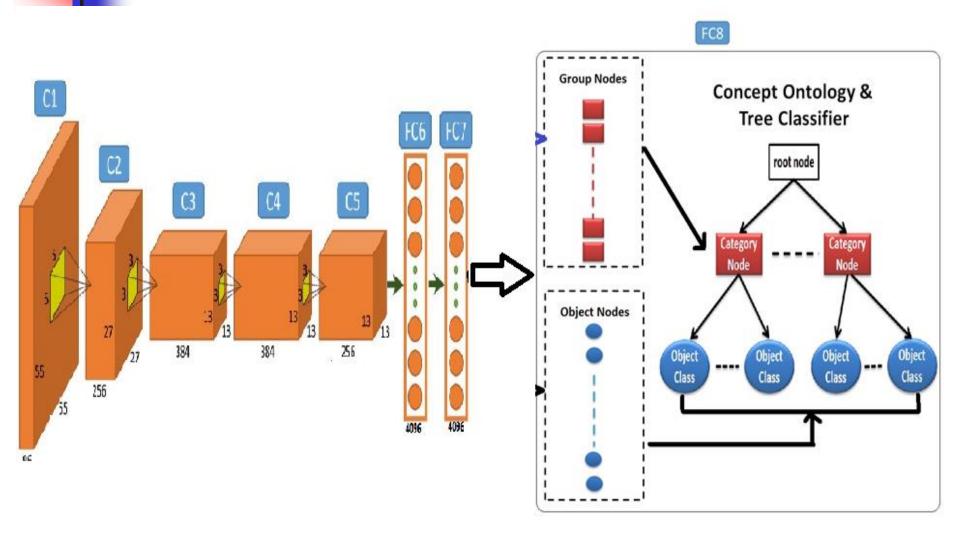
Deep Multi-Task Learning

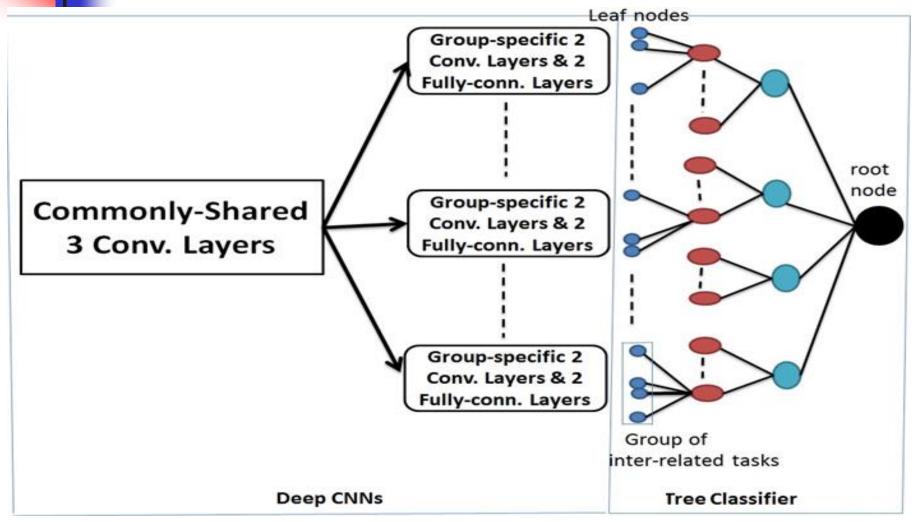
$$\alpha^* = \frac{1}{2\delta_1} \left(\Re + \frac{\delta_2}{\delta_1} \left(\Re \left(L \bigotimes I \right) \Re \right)^{-1} \Re Y \beta^* \right)$$

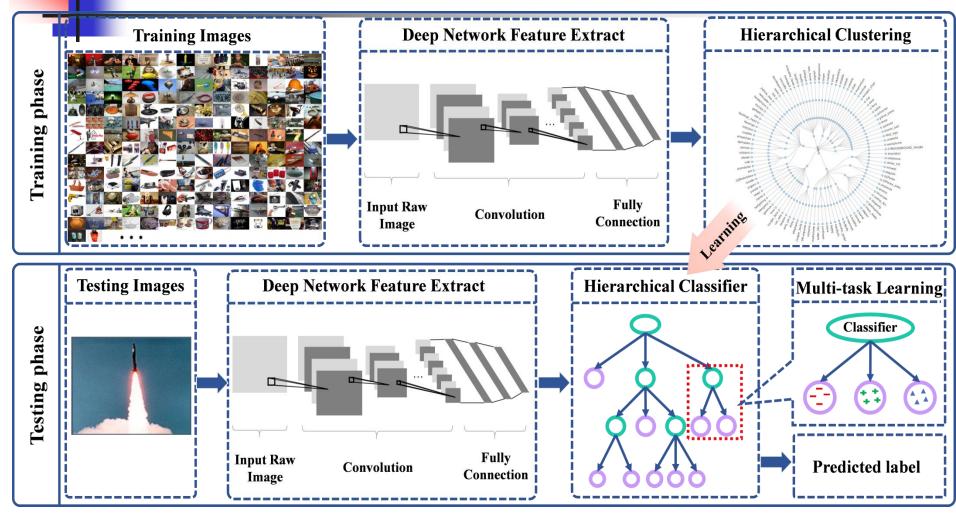
Multi-Task Classifiers at Sibling Leaf Nodes

$$\forall_{j=1}^{B}: f_{c_{j}}^{1}(x) \mid_{F_{c_{j}}^{1}} = \sum_{l=1}^{R} \alpha_{j}^{l*} \kappa(x_{j}^{l}, x) + b_{j}^{*}, \ c_{j} \in c_{h}$$









Controlling Inter-Level Error Propagation

$$\min\left\{C\sum_{m=1}^{R}\sum_{h=1}^{B}\xi_{j}^{m}+\gamma_{1}Tr\left(WW^{T}\right)+\frac{\gamma_{2}}{2}Tr\left(WLW^{T}\right)\right\}$$

subject to:

$$\forall_{m=1}^{R} \forall_{h=1}^{B} : y_{h}^{m} (W_{h}^{T} \cdot x_{h}^{m} + b) \ge 1 - \xi_{h}^{m}, \ \xi_{h}^{m} \ge 0, \ c_{h} \in c_{k}$$

$$\begin{aligned} \forall_{h=1}^{B} : & f_{c_{h}}^{l+1}(x) \mid_{F_{c_{h}}^{l+1}} - f_{c_{j}}^{l}(x) \mid_{F_{c_{j}}^{l}} \ge 0 \\ \forall_{h=1}^{B} : & f_{c_{h}}^{l+1}(x) \mid_{F_{c_{h}}^{l+1}} = \sum_{j=1}^{B} \eta_{j} f_{c_{j}}^{l}(x) \mid_{F_{c_{j}}^{l}} \end{aligned}$$

